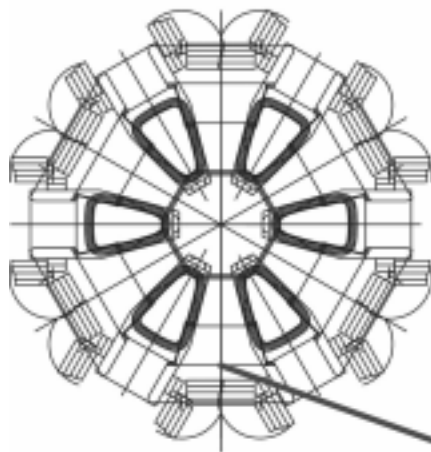


Interface machine between SRC and ACR



SRC

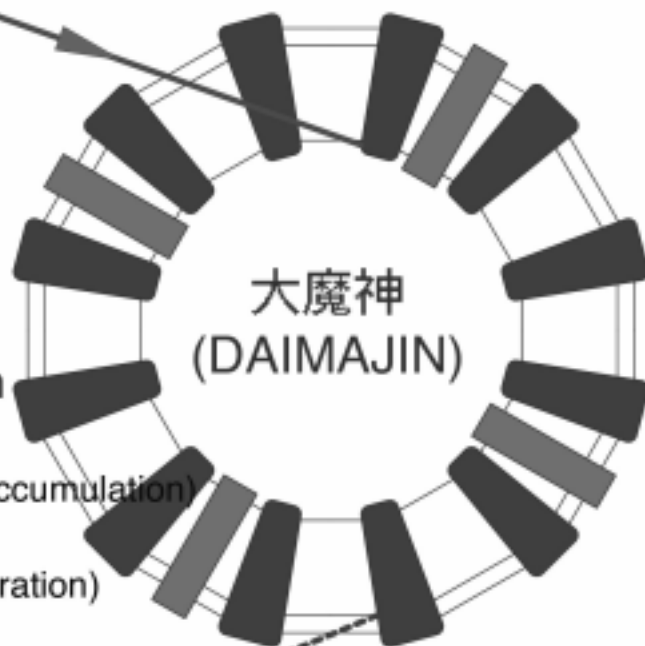
(Super Conducting Ring Cyclotron)

DC to Pulse converter

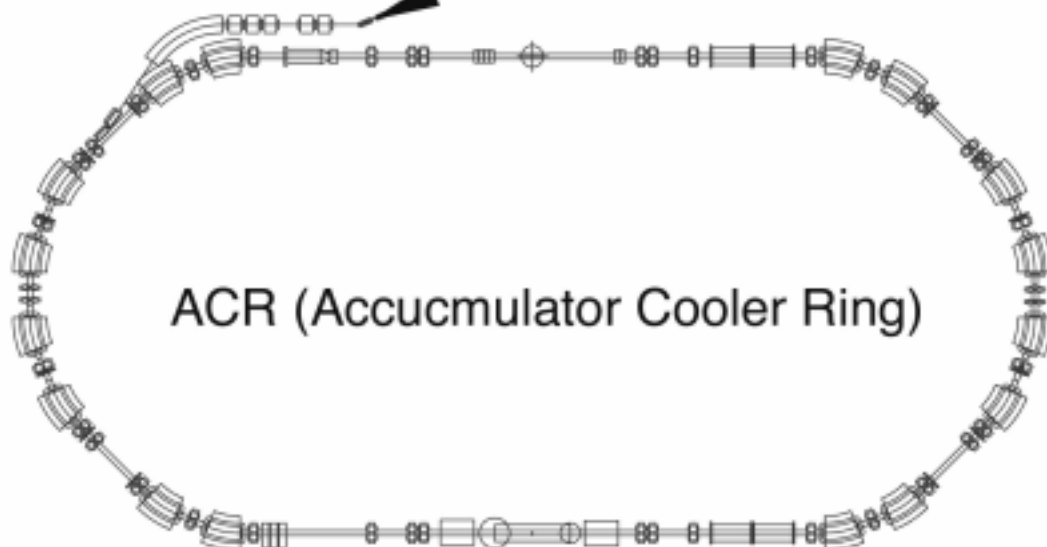
- DC injection (100% duty)
- 10 Hz pulse extraction
- Huge acceptance
- Fast cooling

Starting point of design

- Combination of
ASTOR (DC injection and accumulation)
and
FFAG (rapid cycle of acceleration)



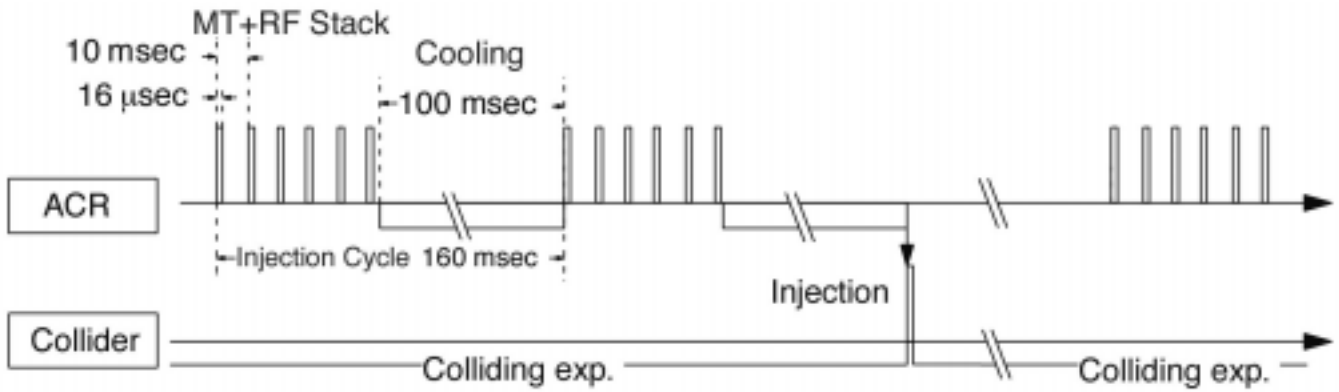
**大魔神
(DAIMAJIN)**



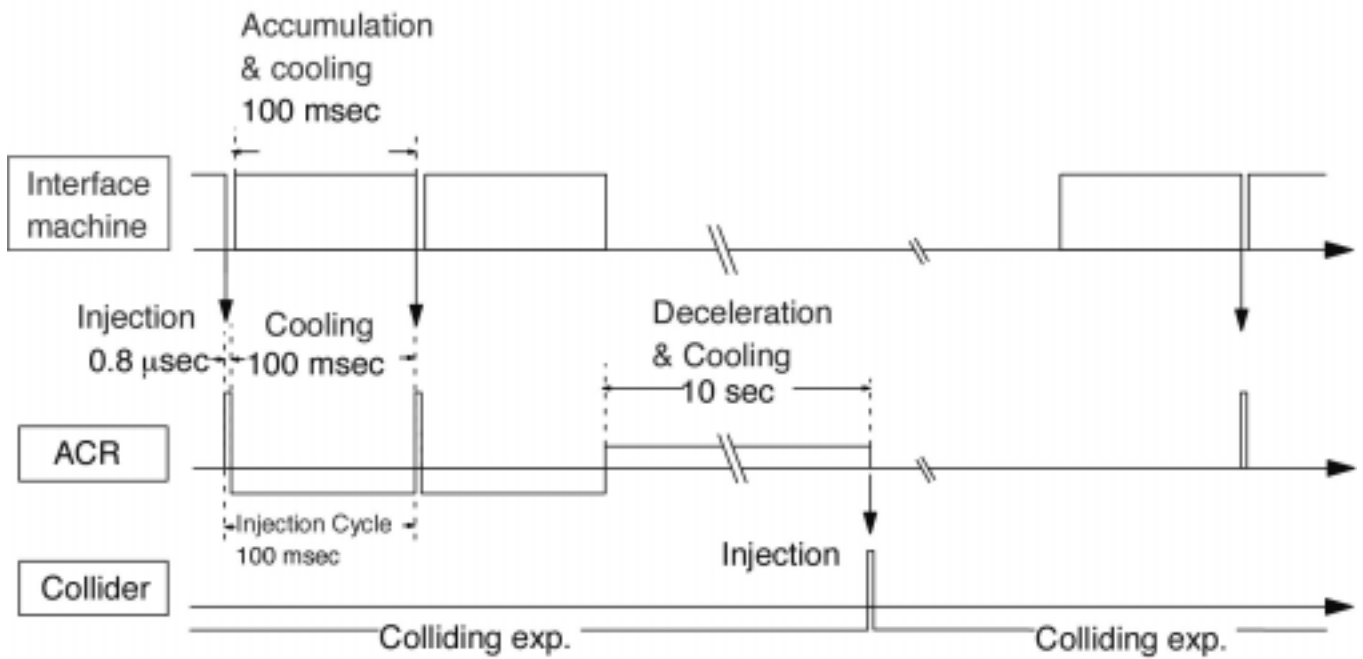
ACR (Accumulator Cooler Ring)

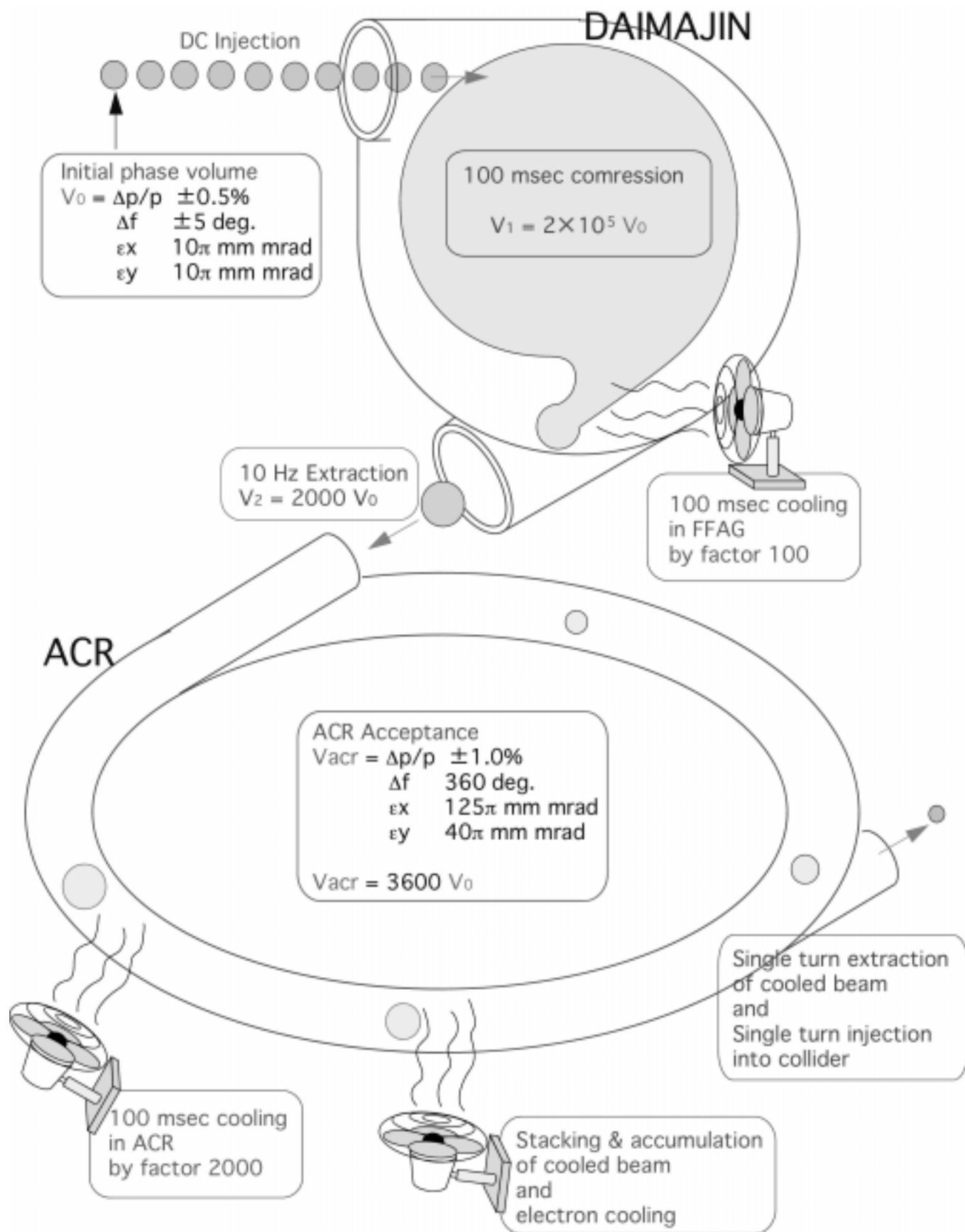
Time chart of beam operation

without interface : duty 1.0e-4



with interface : duty 1.0







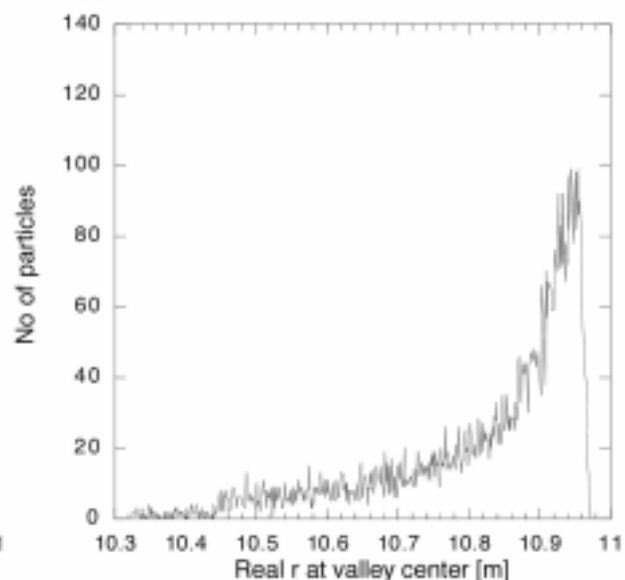
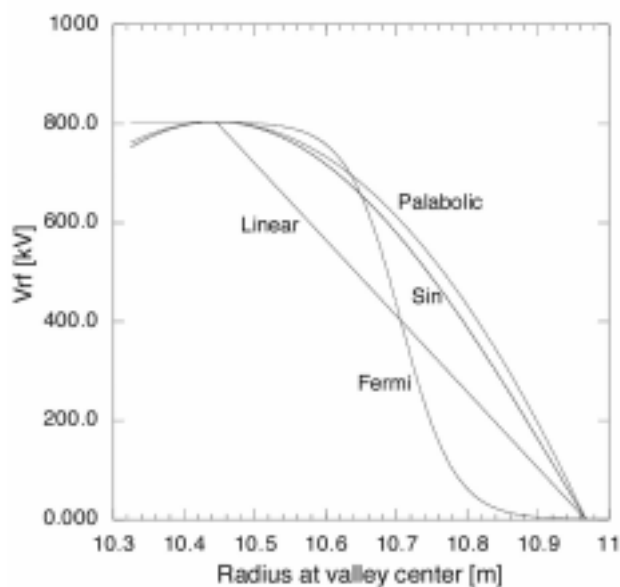
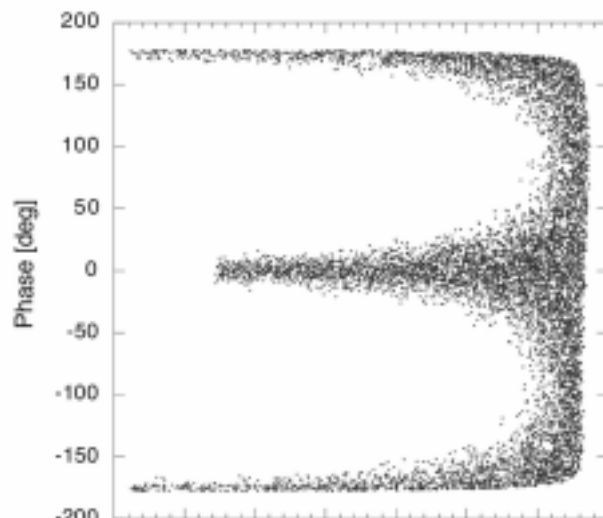
Isochronous magnetic field (the same as cyclotron)
and
Negative gradient of RF voltage in r-direction

Proposed by W.Joho (1974)

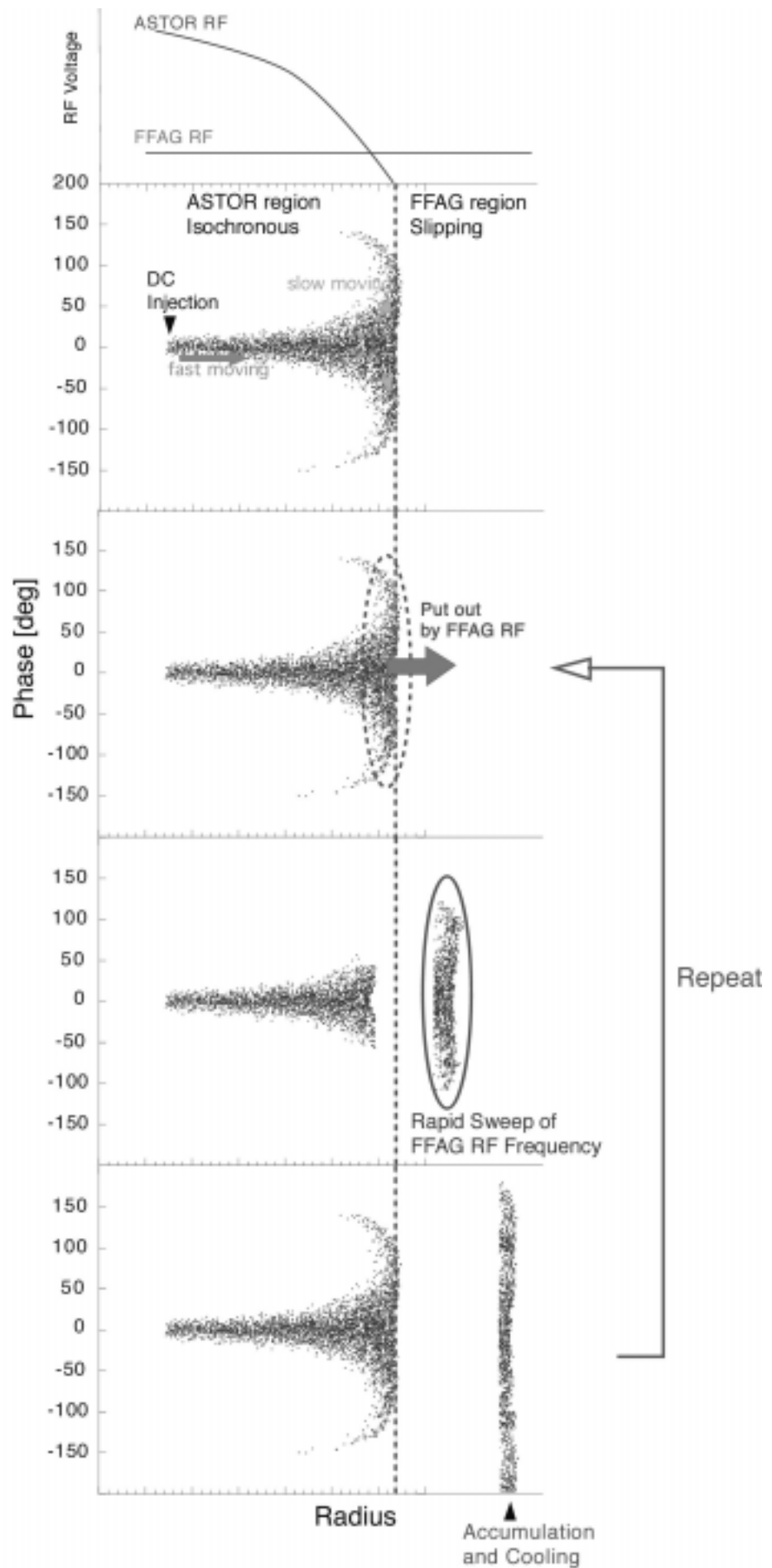
Injected particles are kicked by rf magnetic field due to gradient of rf voltage.
This kicke produces phase shift in isochronous field

$$B_z = -\frac{1}{\omega_{rf}} \left(\frac{dE_s}{dr} \right) \sin \phi$$

$$\frac{d\phi}{dn} = -\frac{1}{\gamma^2 B_0 R \omega_0} \left(\frac{dV}{dr} \right) \sin \phi$$

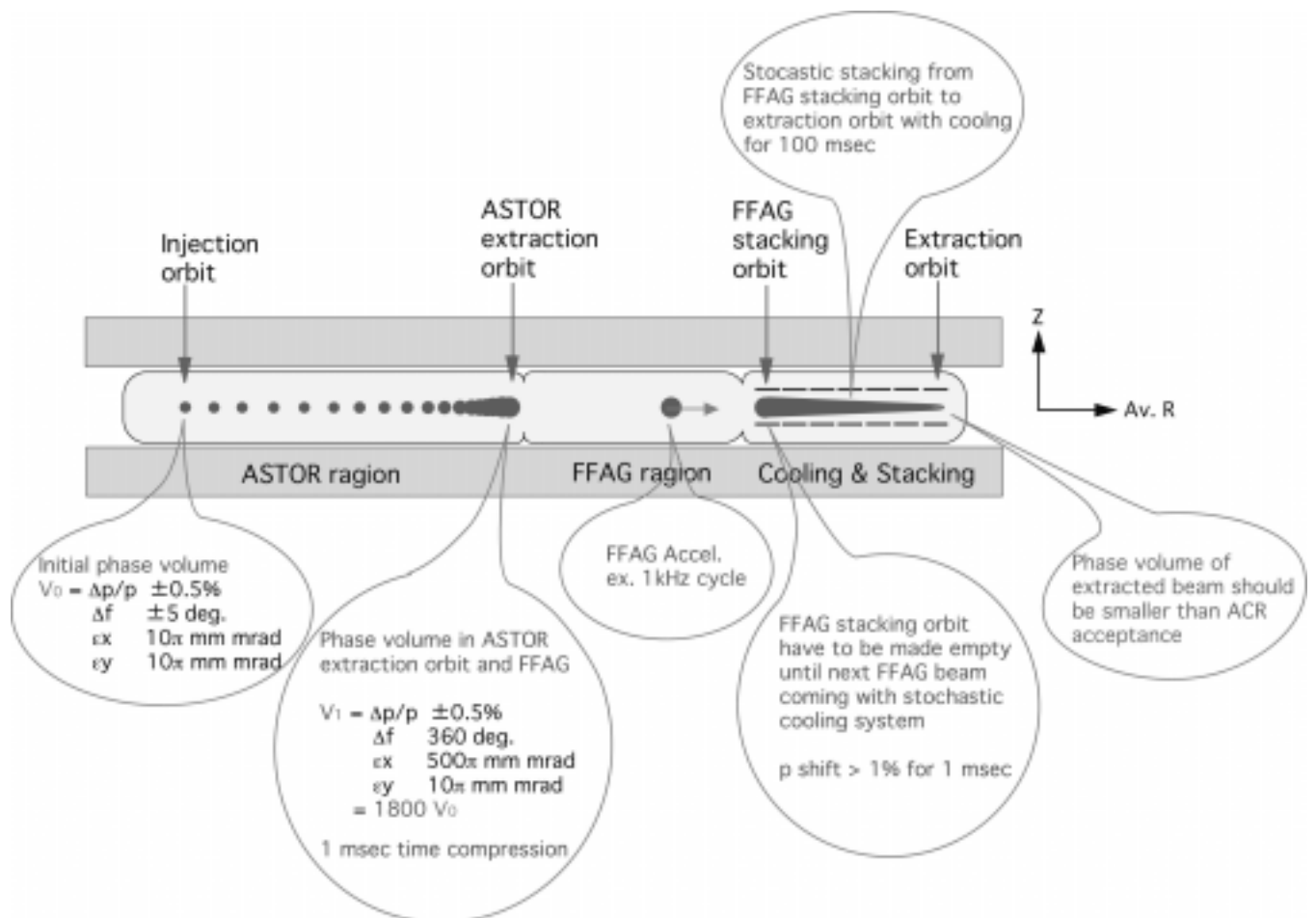


Concept of DAIMAJIN

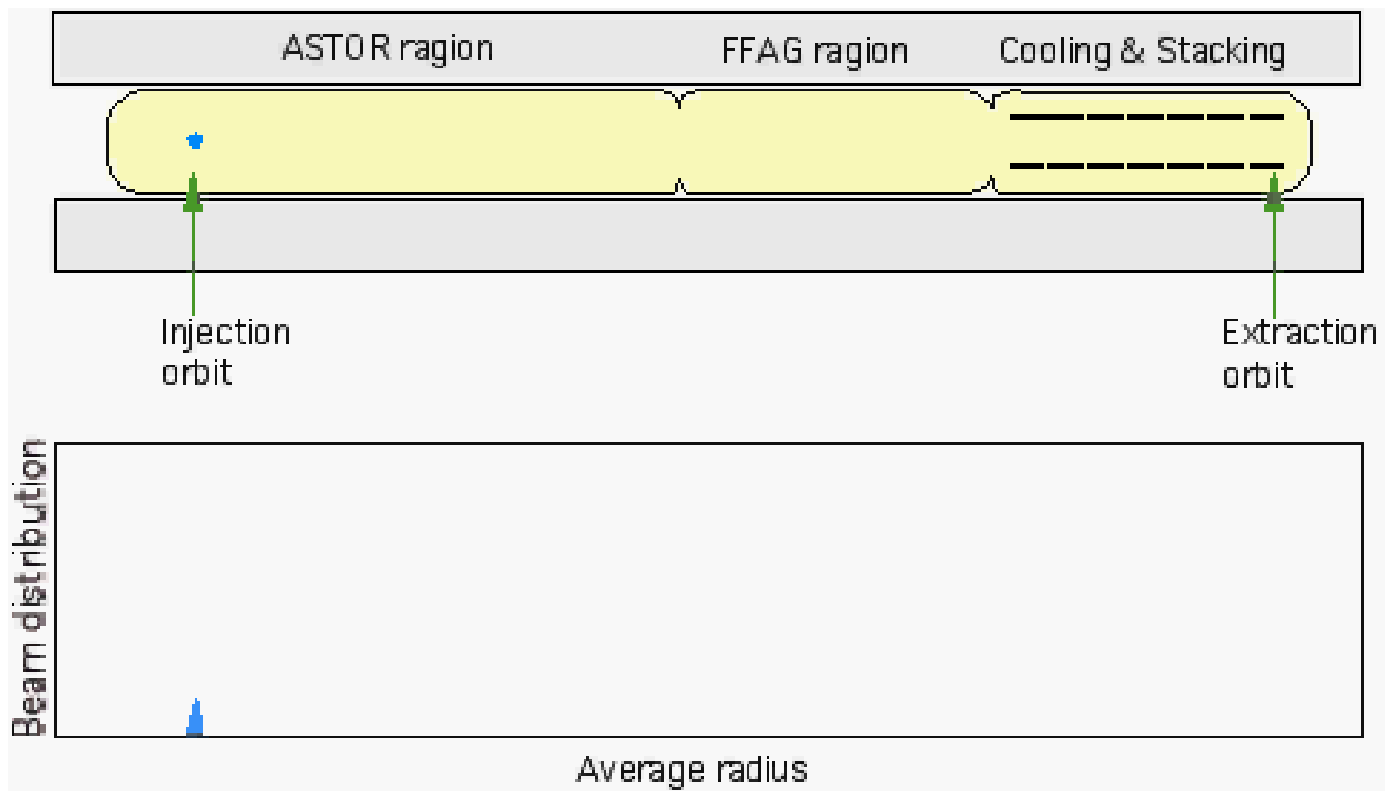


Concept of ASTOR+FFAG

DAIMAJIN consists of ASTOR and FFAG and Stochastic cooling system, which are continuously connected



Concept of ASTOR+FFAG

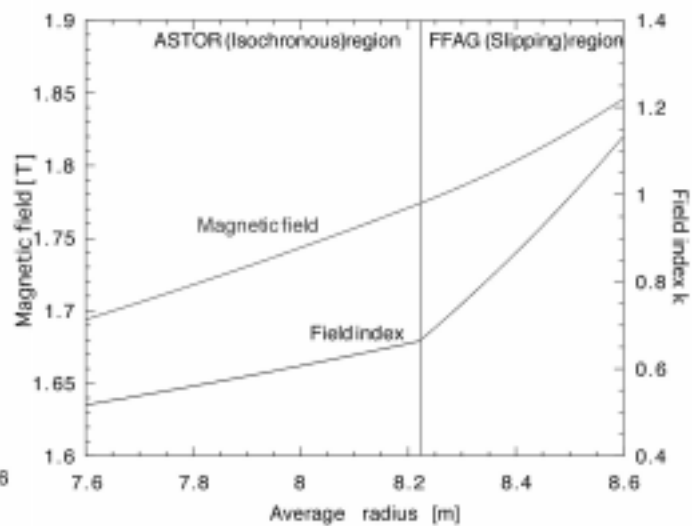
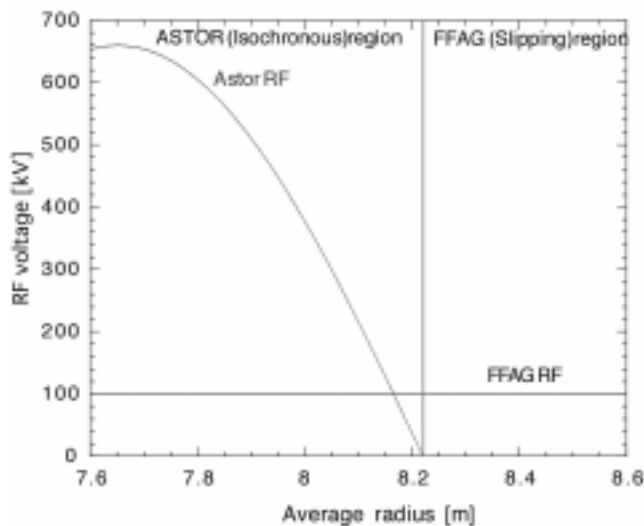




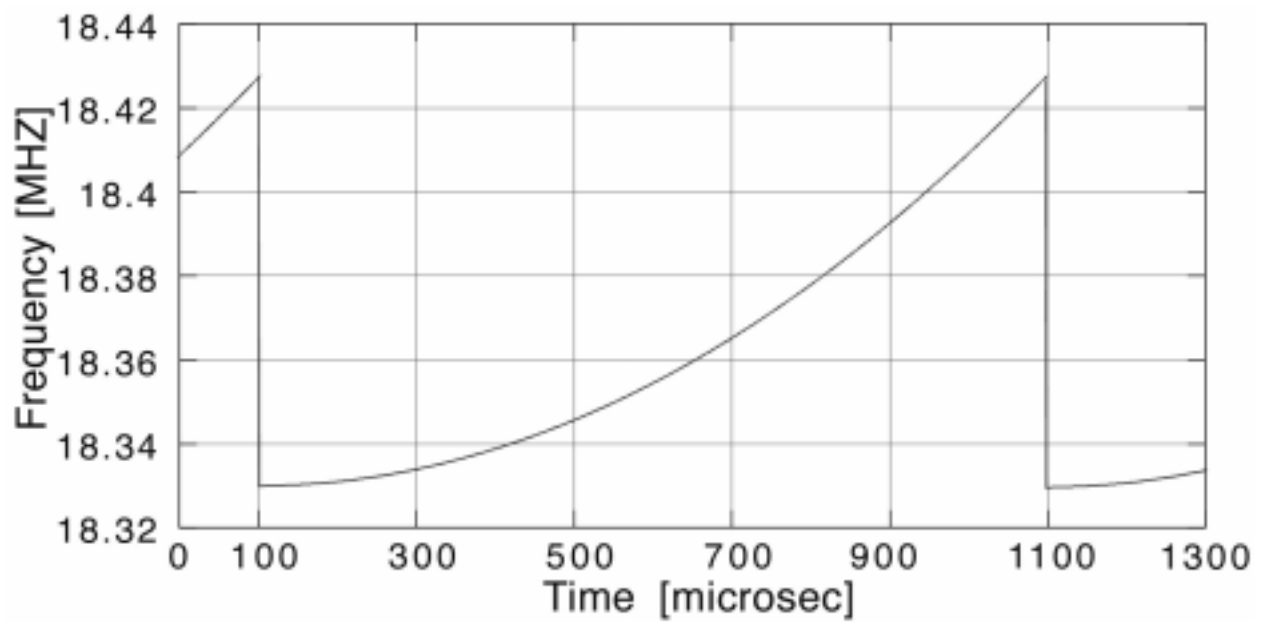
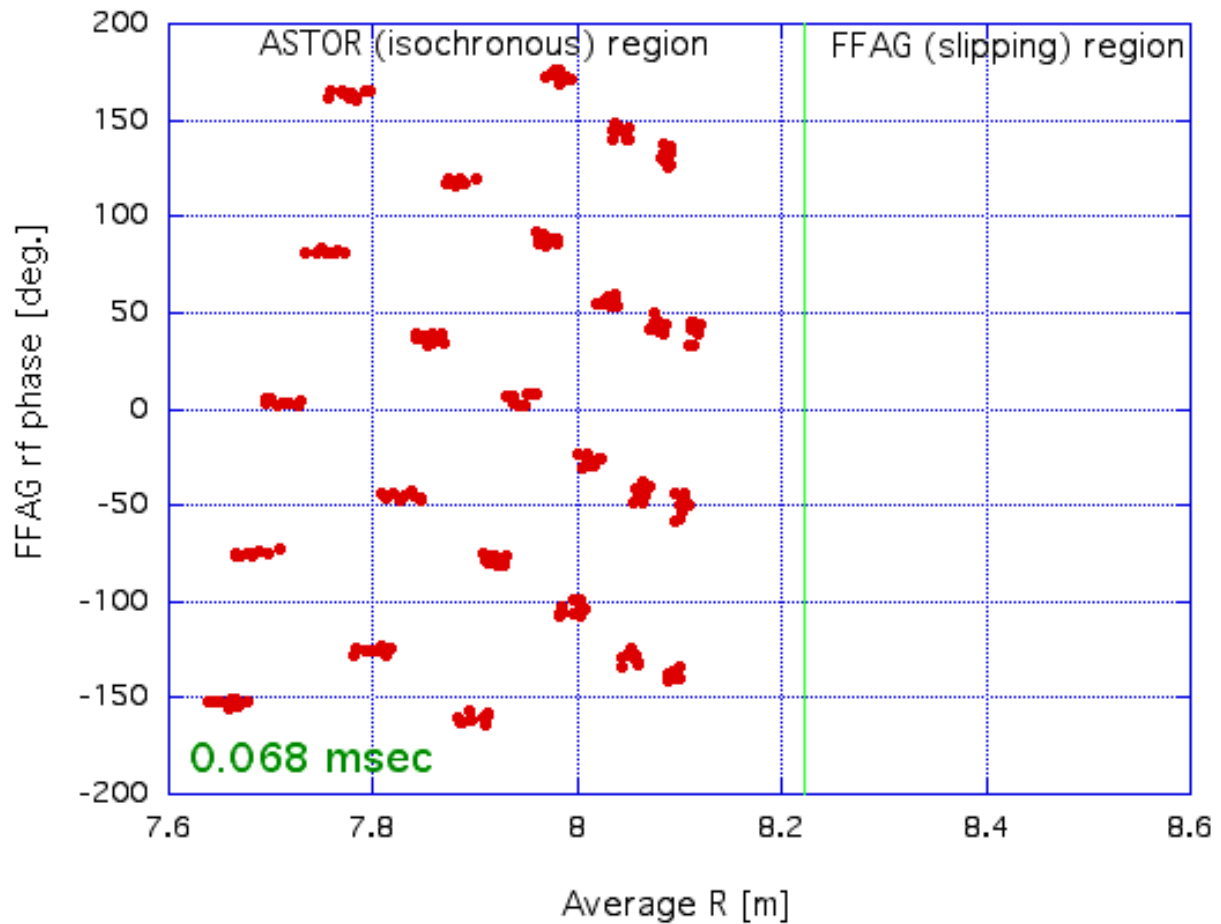
Preriminally calculation of the feasibility

Conditions:

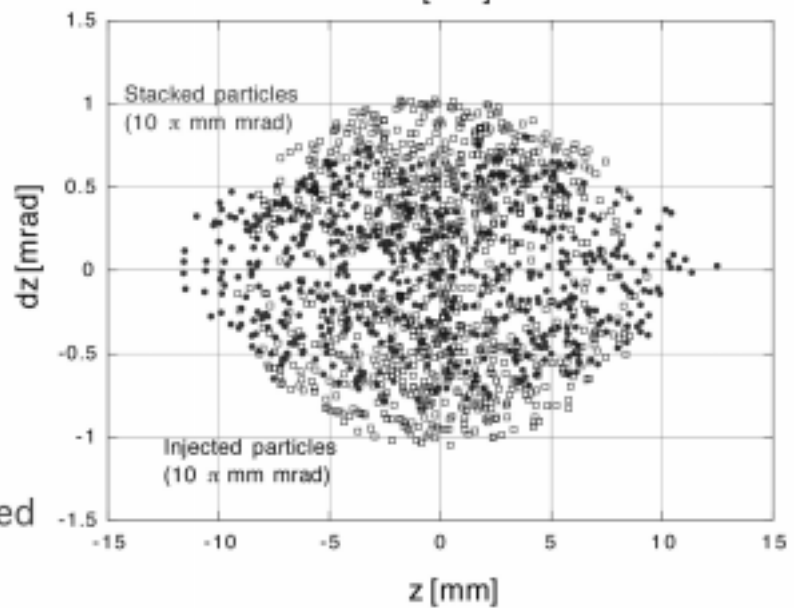
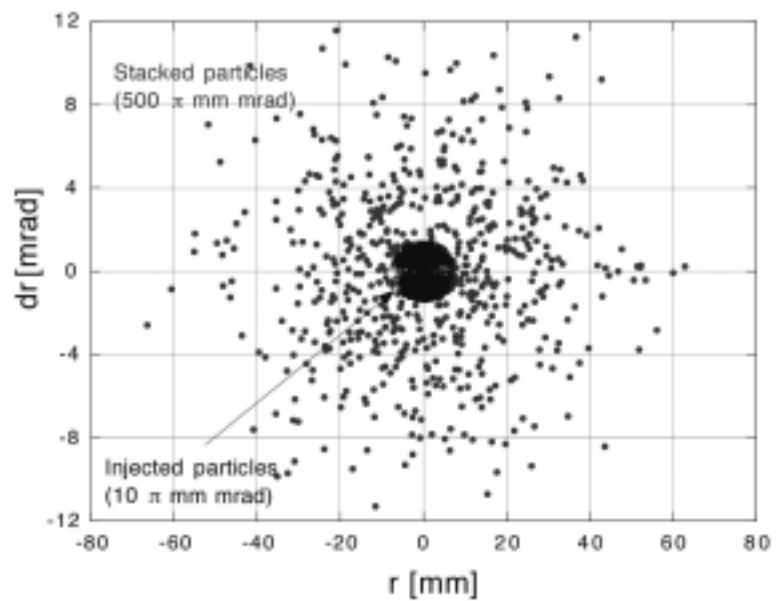
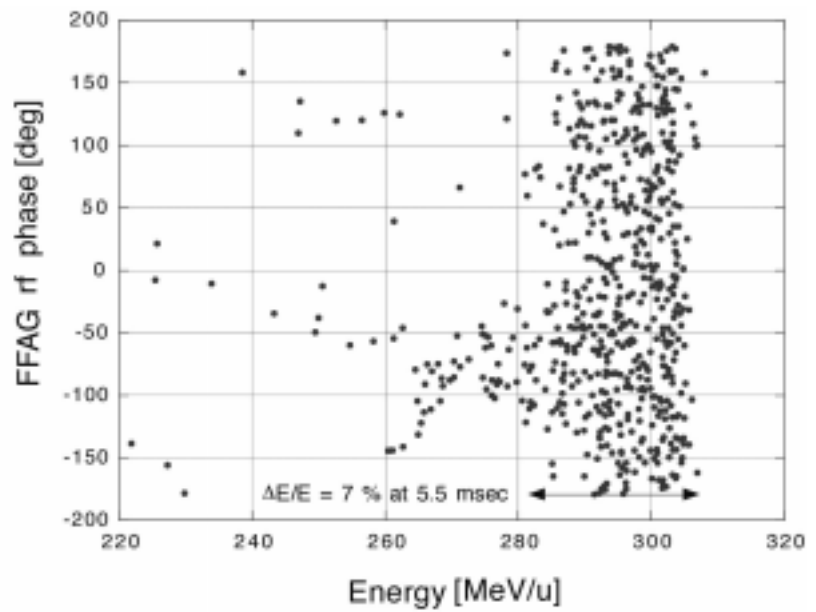
beam energy	220-270 MeV/u (in ASTOR) 270-320 MeV/u (in FFAG)
$\Delta p/p$ at inj.	0.5 %
ϕ spread at inj.	± 5 deg.
emittance (r/y)	10/10 $\mu\text{mm mrad}$
ring sector	8
harmonics	10 (ASTOR) / 5 (FFAG)
rf freq.	36.66 (ASTOR) / 18.33 (FFAG)
rf sweep time	1 msec (FFAG)



Particles moving in longitudinal phase space In ASTOR+FFAG

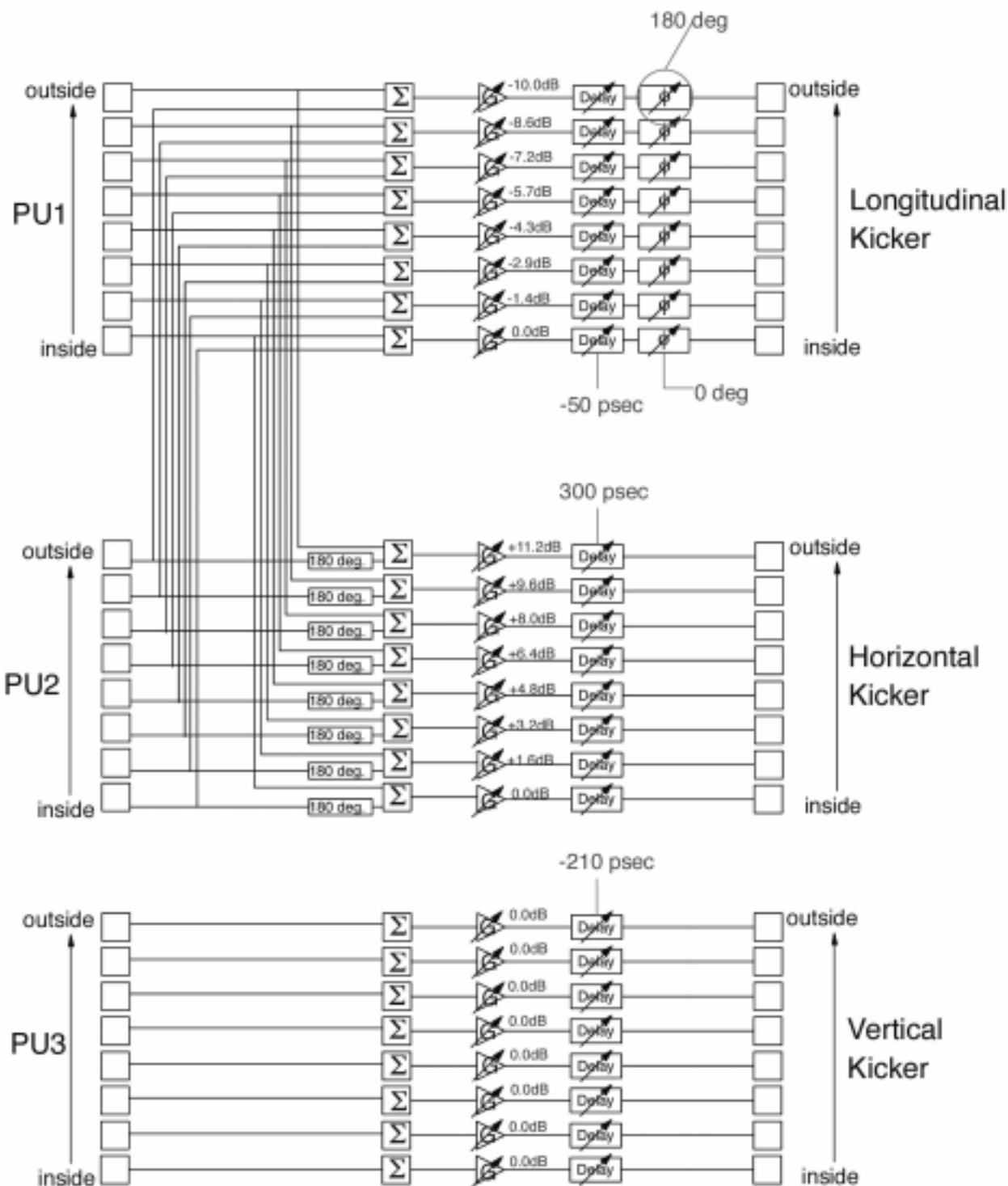


6-dimensional phase volume after 5 cycles of FFAG acceleration



Quick cooling is required

Simple model of SC system in FFAG



Calculation of cooling force at kickers

at longitudinal kicker

$$\text{long.} \quad V_1^{K1}(t) = \frac{1}{4\sqrt{2}} qeZ_c \sum_{m=1}^{Ne} G_{K1}(m) g_{K1}^u(m, i) \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_1 + g_{P2}^u(m, j) W_1\}$$

$$\text{hor.} \quad V_x^{K1}(t) = \frac{1}{4\sqrt{2}} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K1}(m) \frac{\partial g_{K1}^u(m, i)}{\partial x} \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_2 + g_{P2}^u(m, j) W_2\}$$

$$\text{ver.} \quad V_y^{K1}(t) = \frac{1}{4\sqrt{2}} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K1}(m) \frac{\partial g_{K1}^u(m, i)}{\partial y} \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_2 + g_{P2}^u(m, j) W_2\}$$

at horizontal kicker

$$\text{long.} \quad V_1^{K2}(t) = \frac{1}{4\sqrt{2}} qeZ_c \sum_{m=1}^{Ne} G_{K2}(m) g_{K2}^u(m, i) \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_1 - g_{P2}^u(m, j) W_1\}$$

$$\text{hor.} \quad V_x^{K2}(t) = \frac{1}{4\sqrt{2}} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K2}(m) \frac{\partial g_{K2}^u(m, i)}{\partial x} \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_2 - g_{P2}^u(m, j) W_2\}$$

$$\text{ver.} \quad V_y^{K2}(t) = \frac{1}{4\sqrt{2}} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K2}(m) \frac{\partial g_{K2}^u(m, i)}{\partial y} \sum_{j=1}^{Np} f_j \{g_{P1}^u(m, j) W_2 - g_{P2}^u(m, j) W_2\}$$

at vertical kicker

$$\text{long.} \quad V_1^{K3}(t) = \frac{1}{4} qeZ_c \sum_{m=1}^{Ne} G_{K3}(m) g_{K3}^b(m, i) \sum_{j=1}^{Np} f_j g_{P3}^b(m, j) W_1$$

$$\text{hor.} \quad V_x^{K3}(t) = \frac{1}{4} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K3}(m) \frac{\partial g_{K3}^b(m, i)}{\partial x} \sum_{j=1}^{Np} f_j g_{P3}^b(m, j) W_2$$

$$\text{ver.} \quad V_y^{K3}(t) = \frac{1}{4} qeZ_c \frac{c}{2\pi} \sum_{m=1}^{Ne} G_{K3}(m) \frac{\partial g_{K3}^b(m, i)}{\partial y} \sum_{j=1}^{Np} f_j g_{P3}^b(m, j) W_2$$

where,

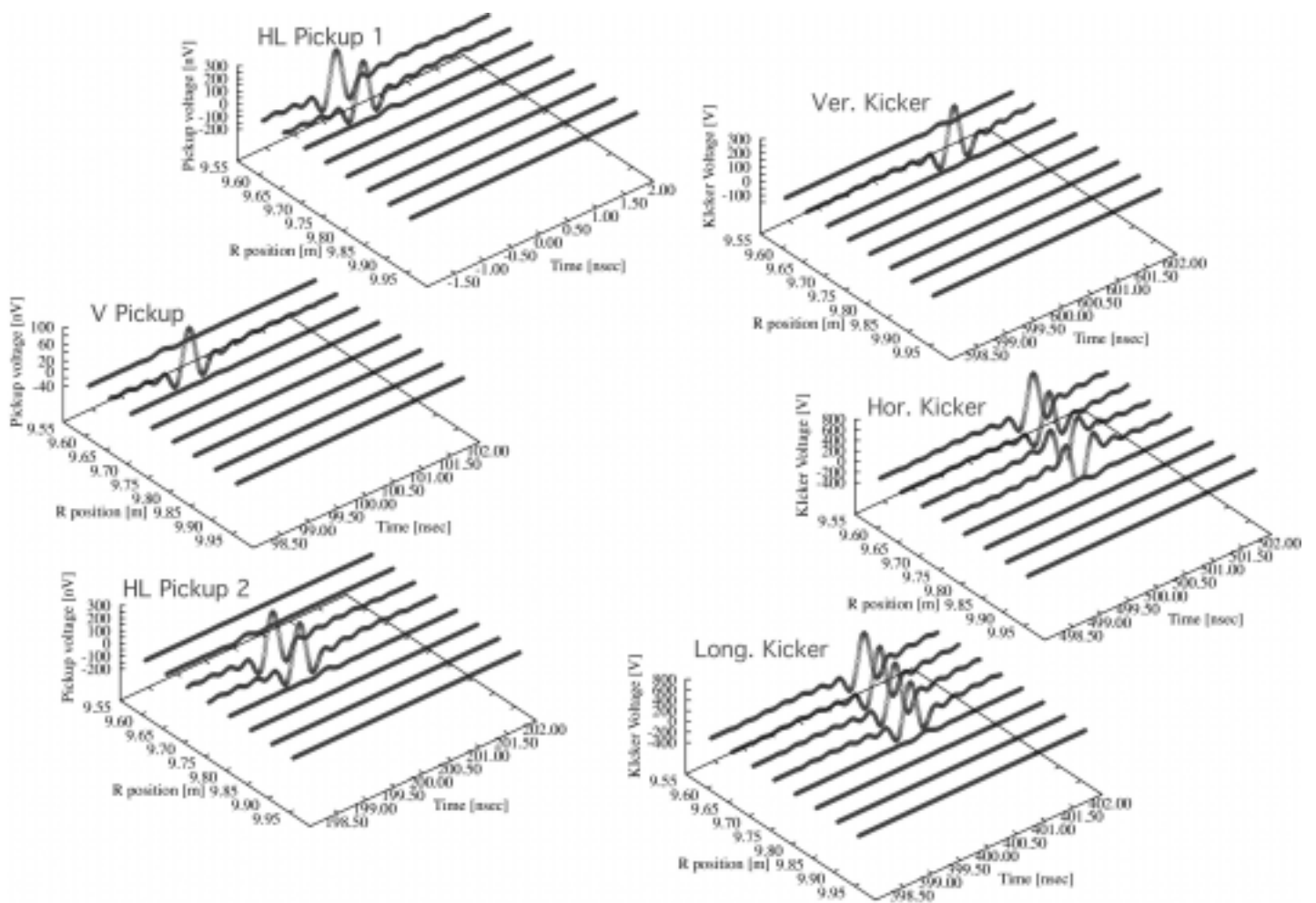
$$W_1 = \sum_{n=-\infty}^{\infty} \frac{1}{4} e^{j2\pi n f_j (t - \tau_{psj} - T_{pkxx})} \{1 - e^{-jn\pi f_j / f_c}\}^2$$

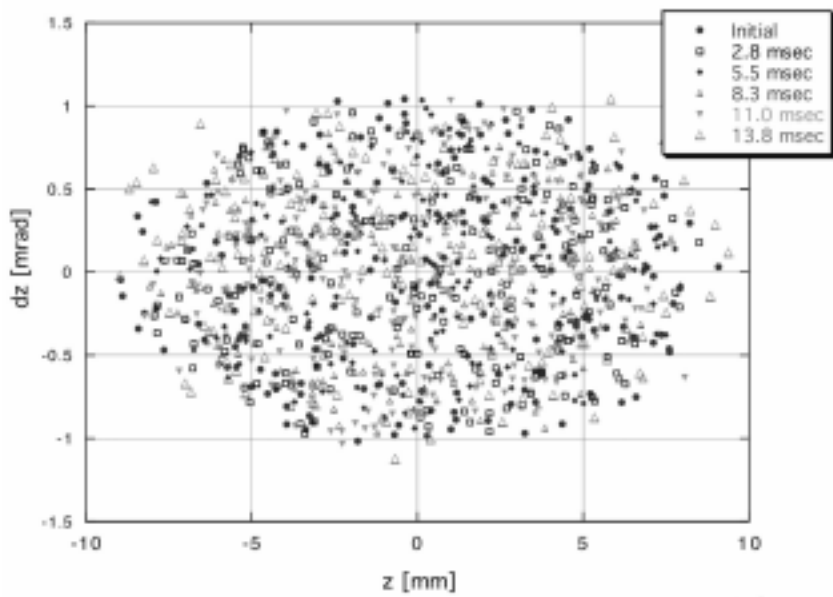
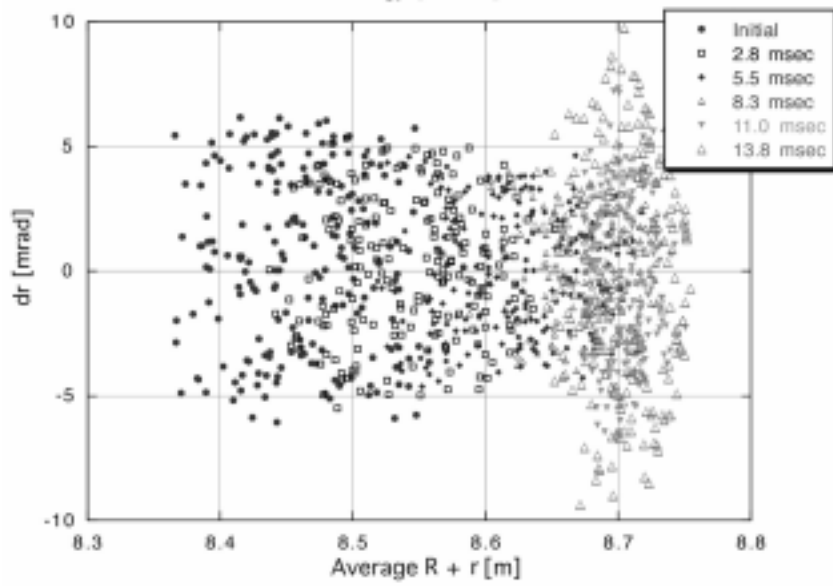
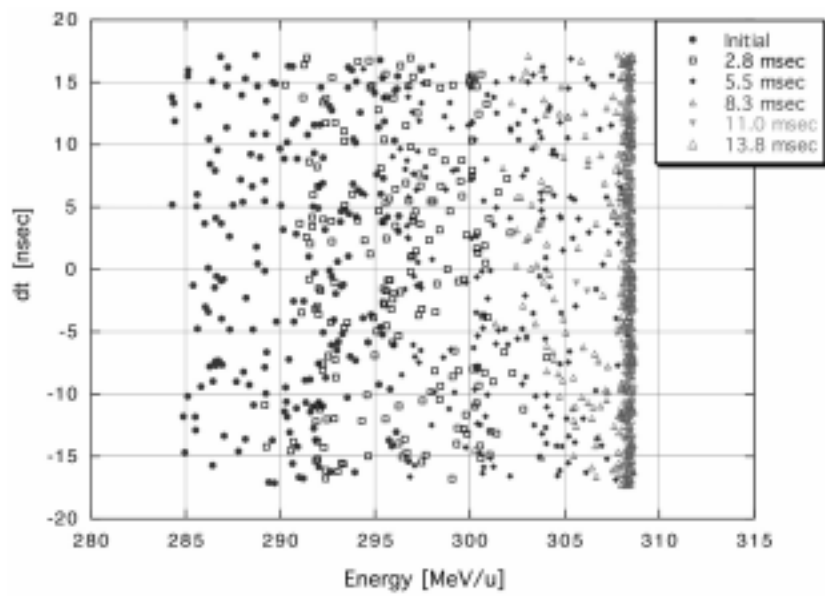
$$W_2 = \sum_{n=-\infty}^{\infty} \frac{j}{4n f_j} e^{j2\pi n f_j (t - \tau_{psj} - T_{pkxx})} \{1 - e^{-jn\pi f_j / f_c}\}^2$$

assuming sensitivity

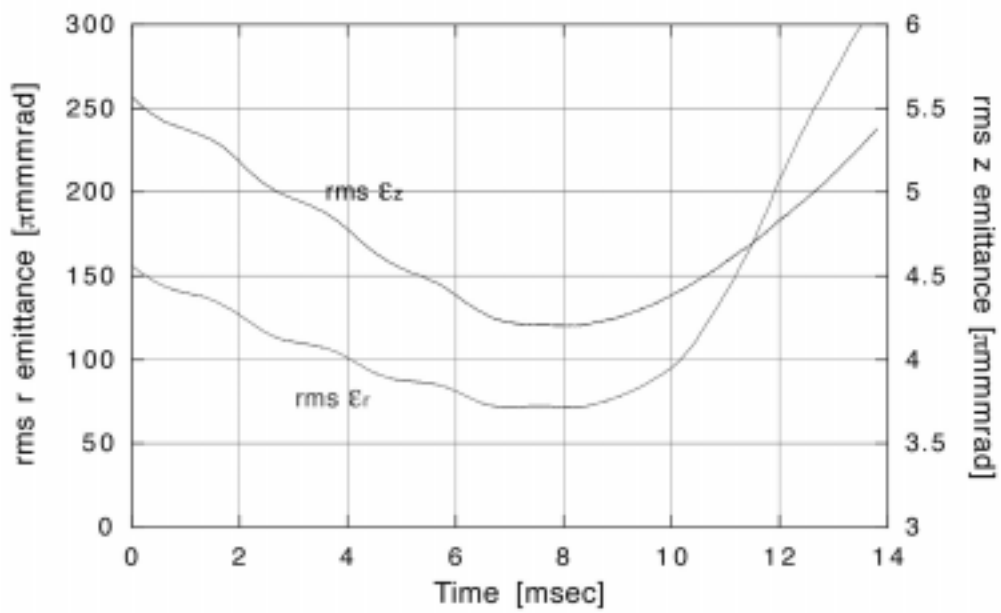
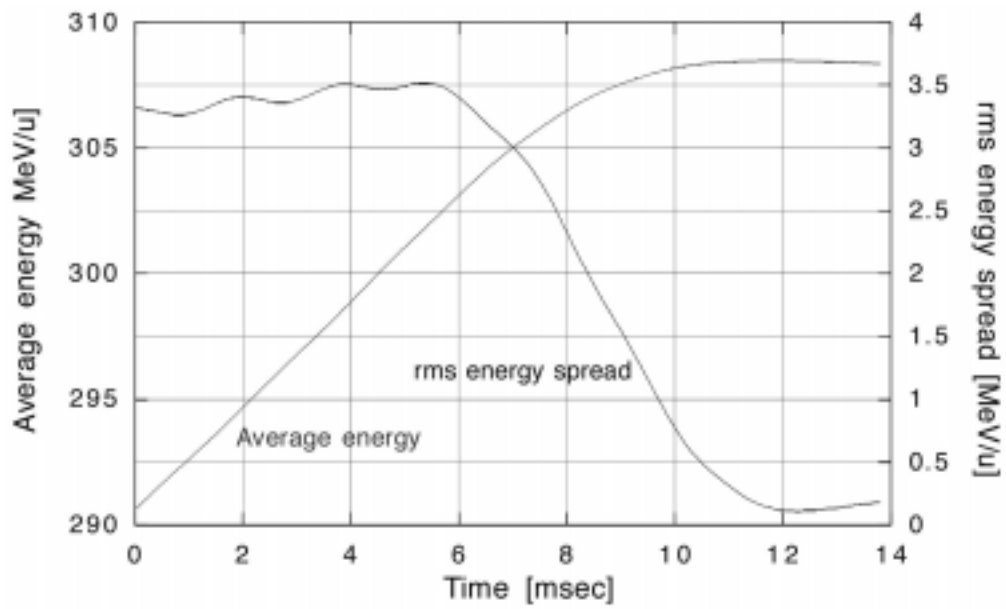
$$\xi(f) = \frac{1}{2} (1 - e^{-j\pi f / f_c})$$

Pickup signal from one particle and the applied kicker signal

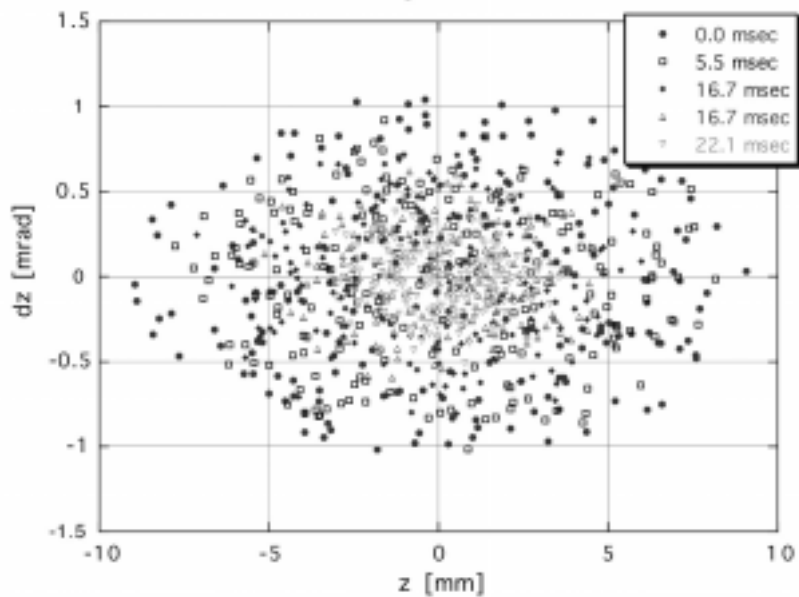
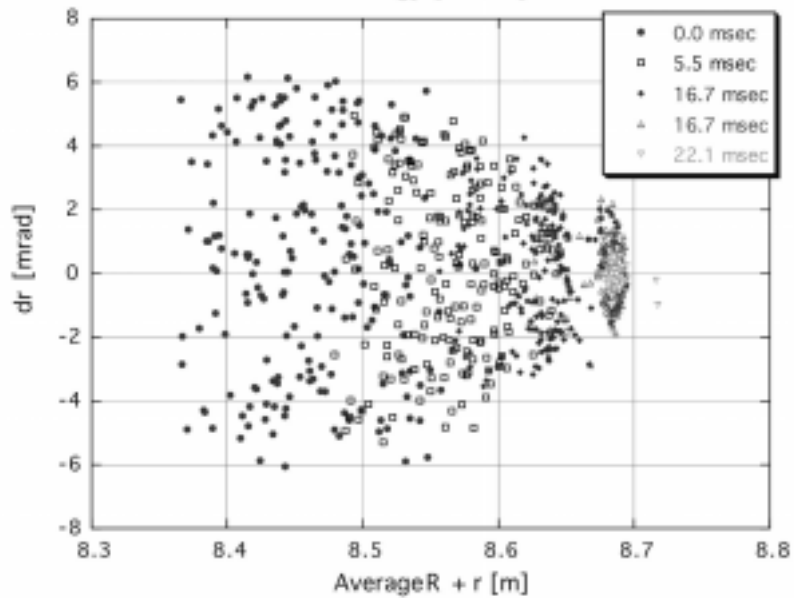
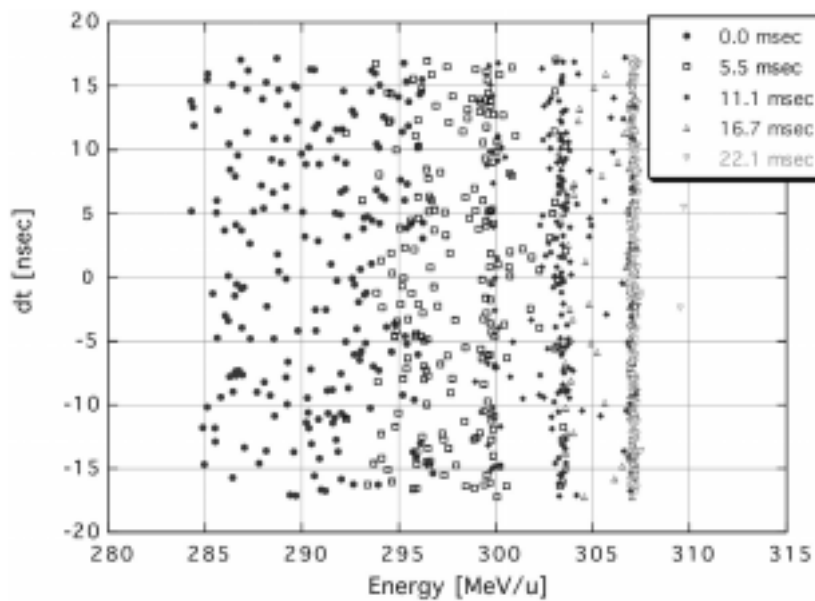




with constant gain

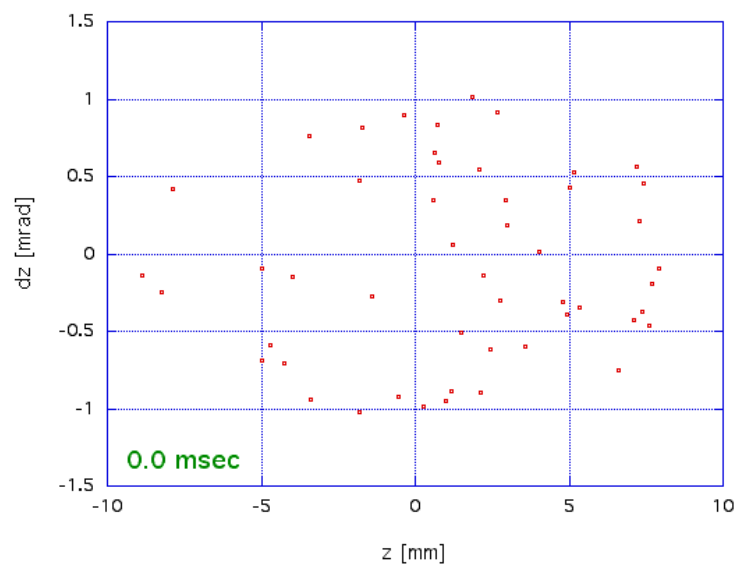
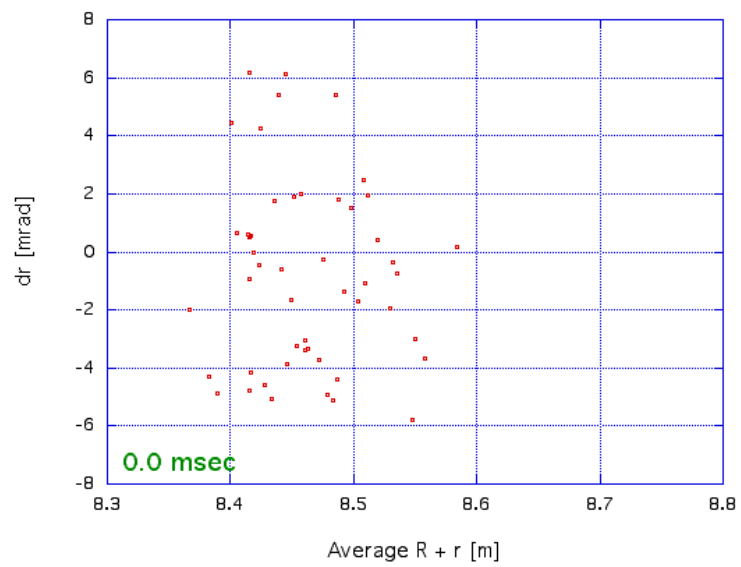
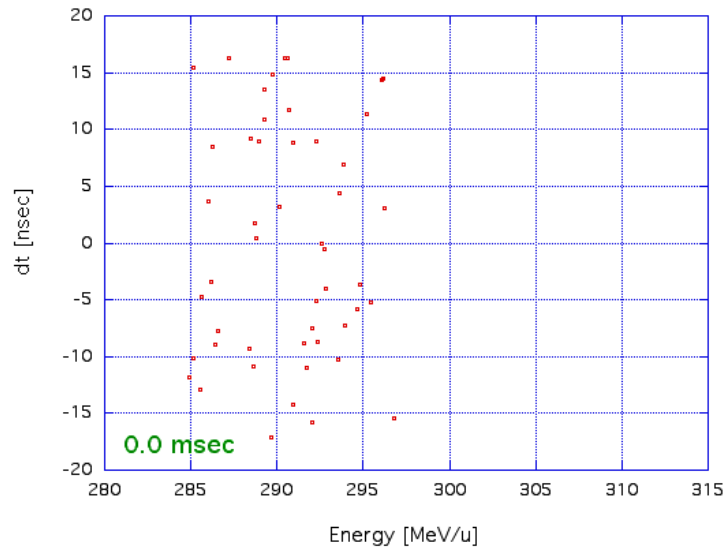


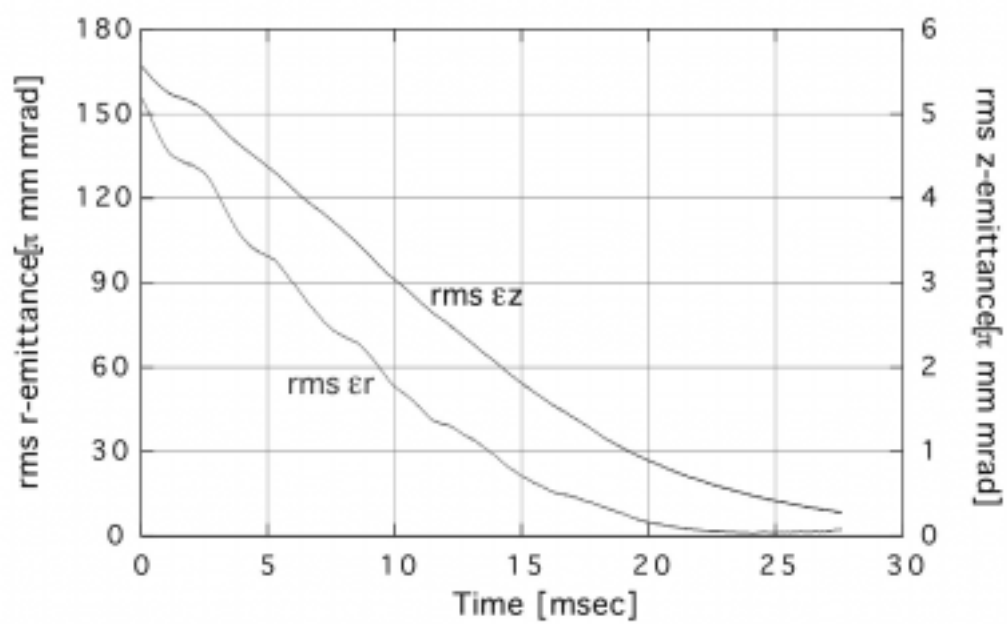
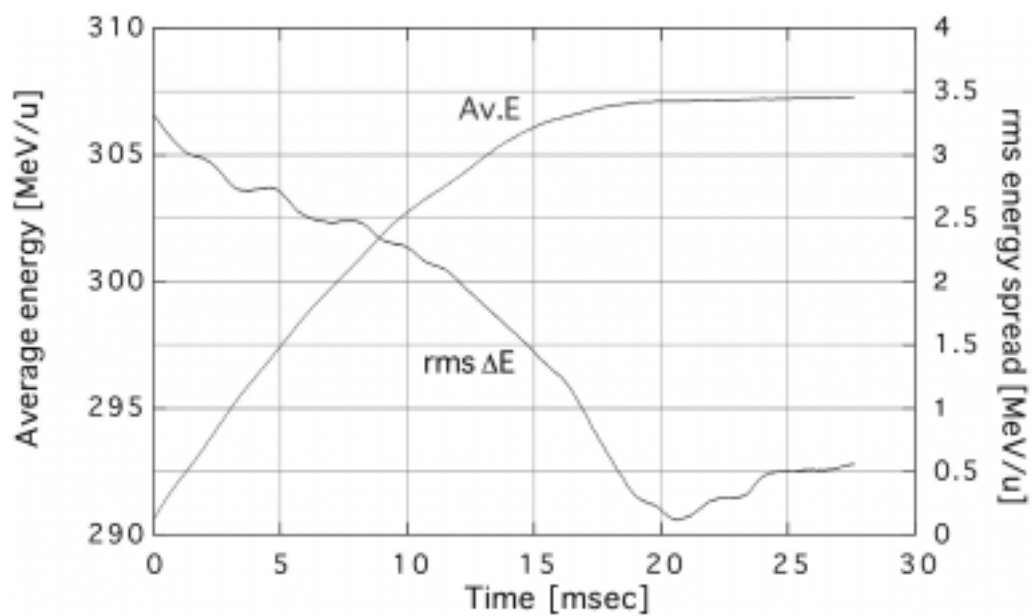
with constant gain



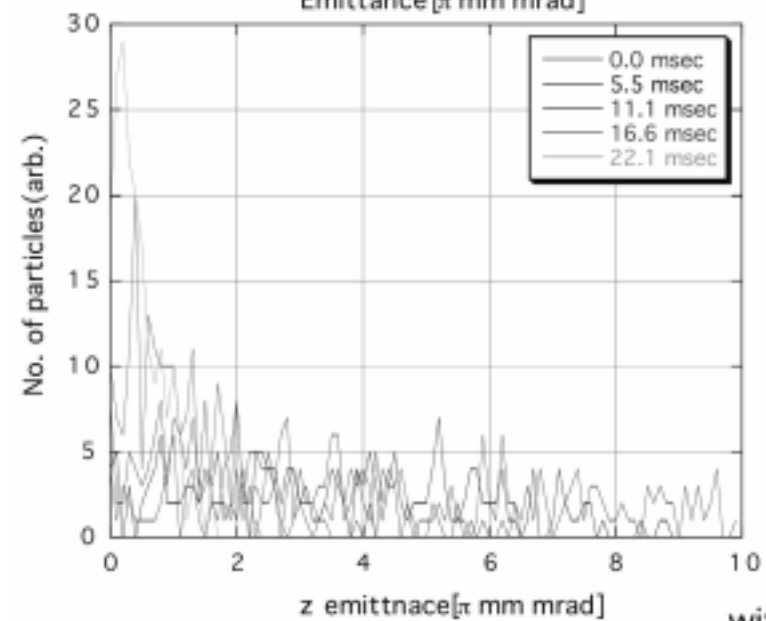
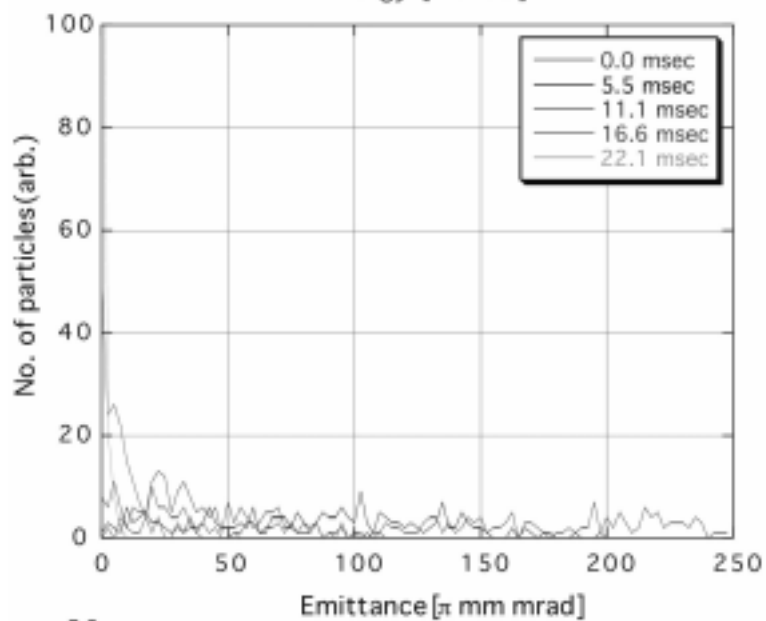
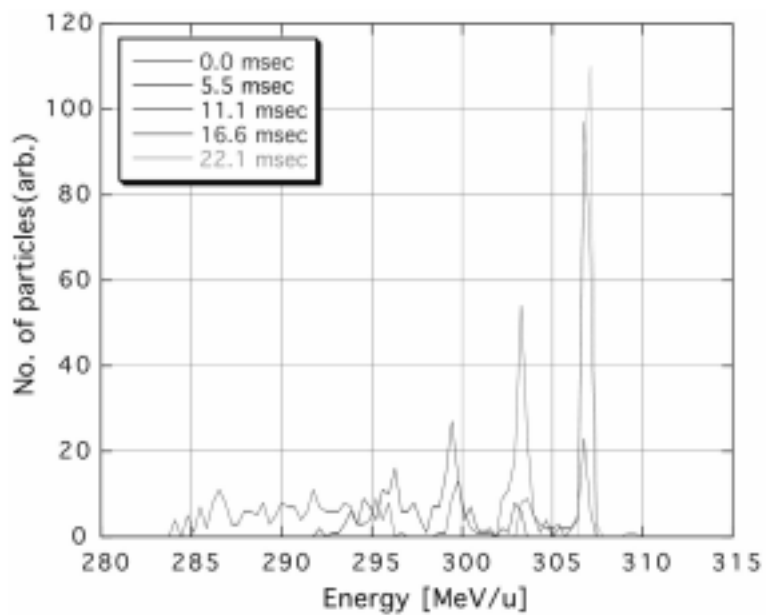
with gain gradient

Particle moving in 6-dimensional phase space

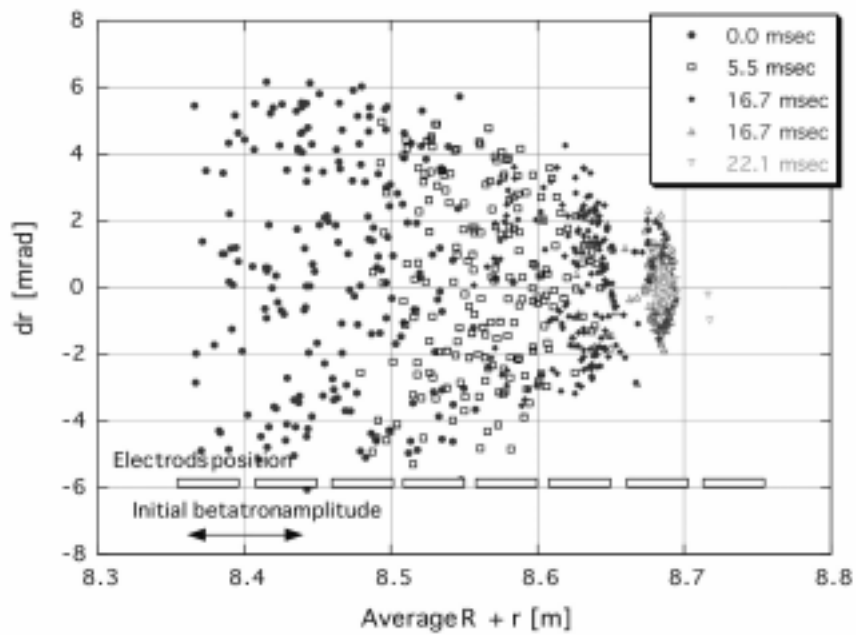
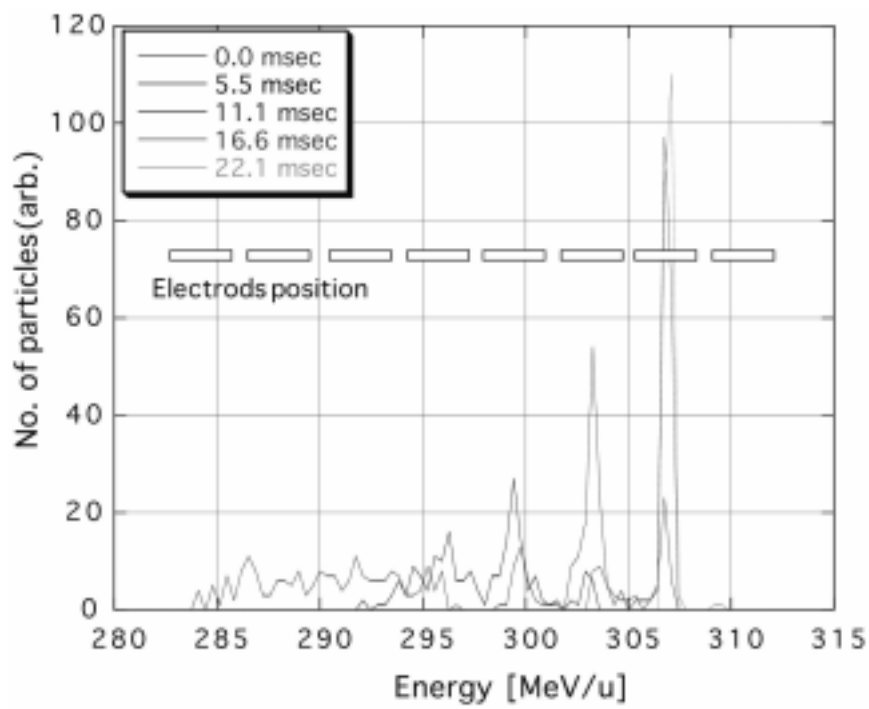




with gain gradient



with gain gradient



with gain gradient