



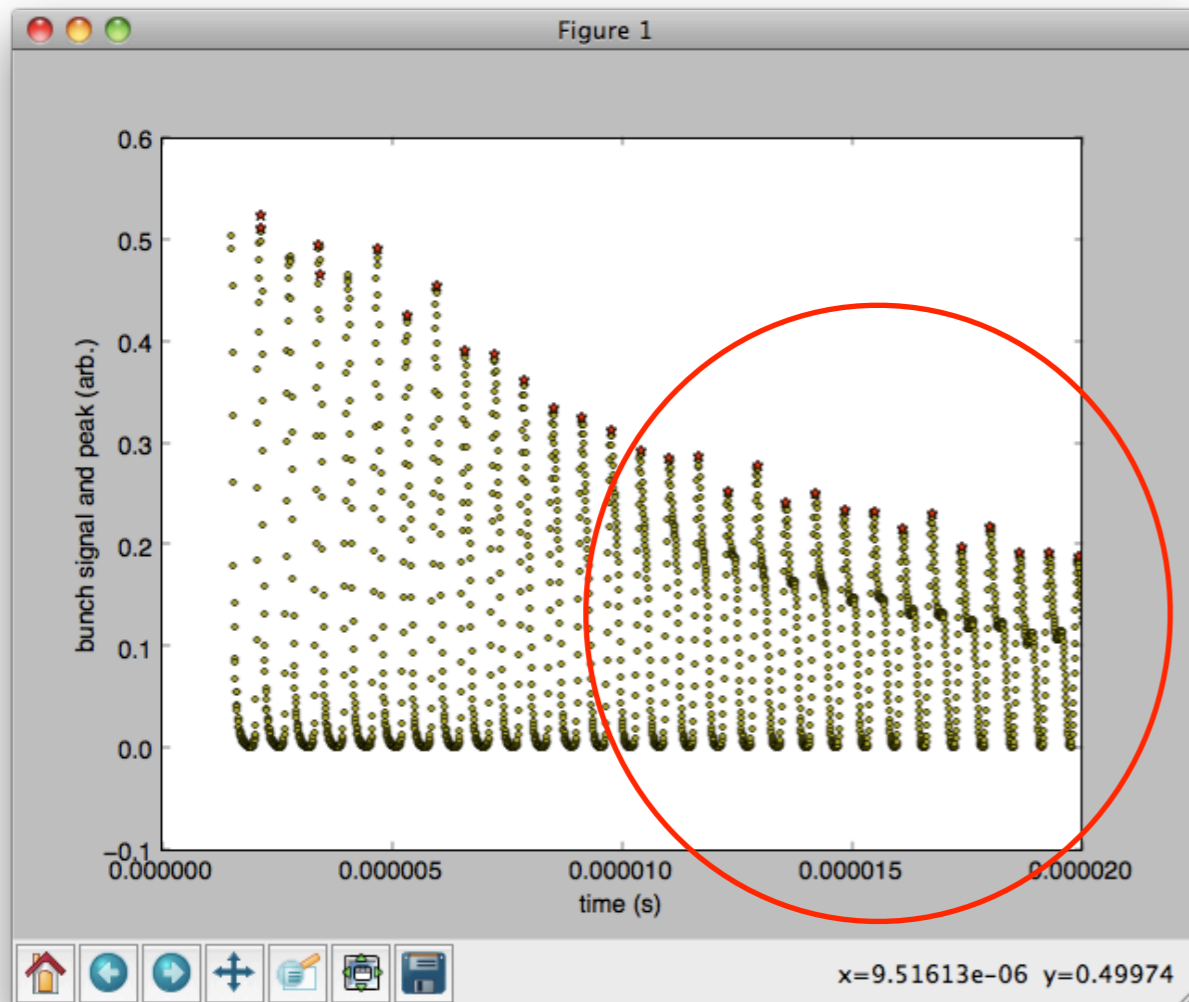
# 2nd peak of bunch monitor

Shinji Machida

ASTeC/STFC Rutherford Appleton Laboratory

20 January 2014

# Double peaks



- Only developed around D-mag=1030 A.
- Second peak corresponds to lower momentum.
- If the tune measurement is correct, it occurs around a half integer tune.

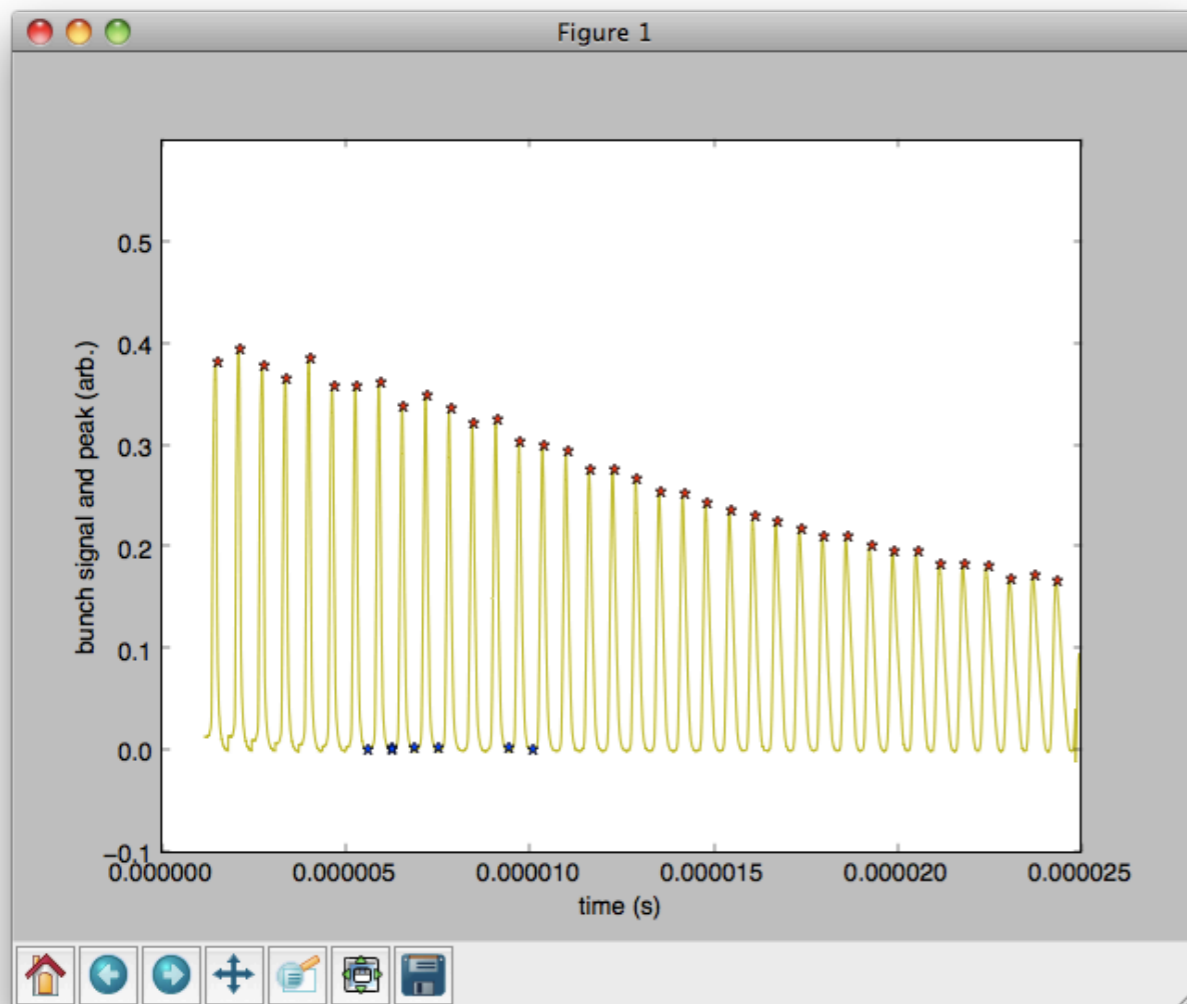
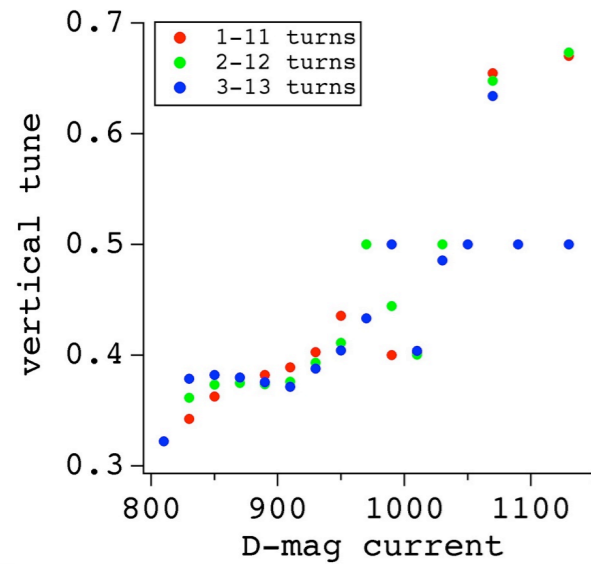
**a slide from previous presentation**

# Goals

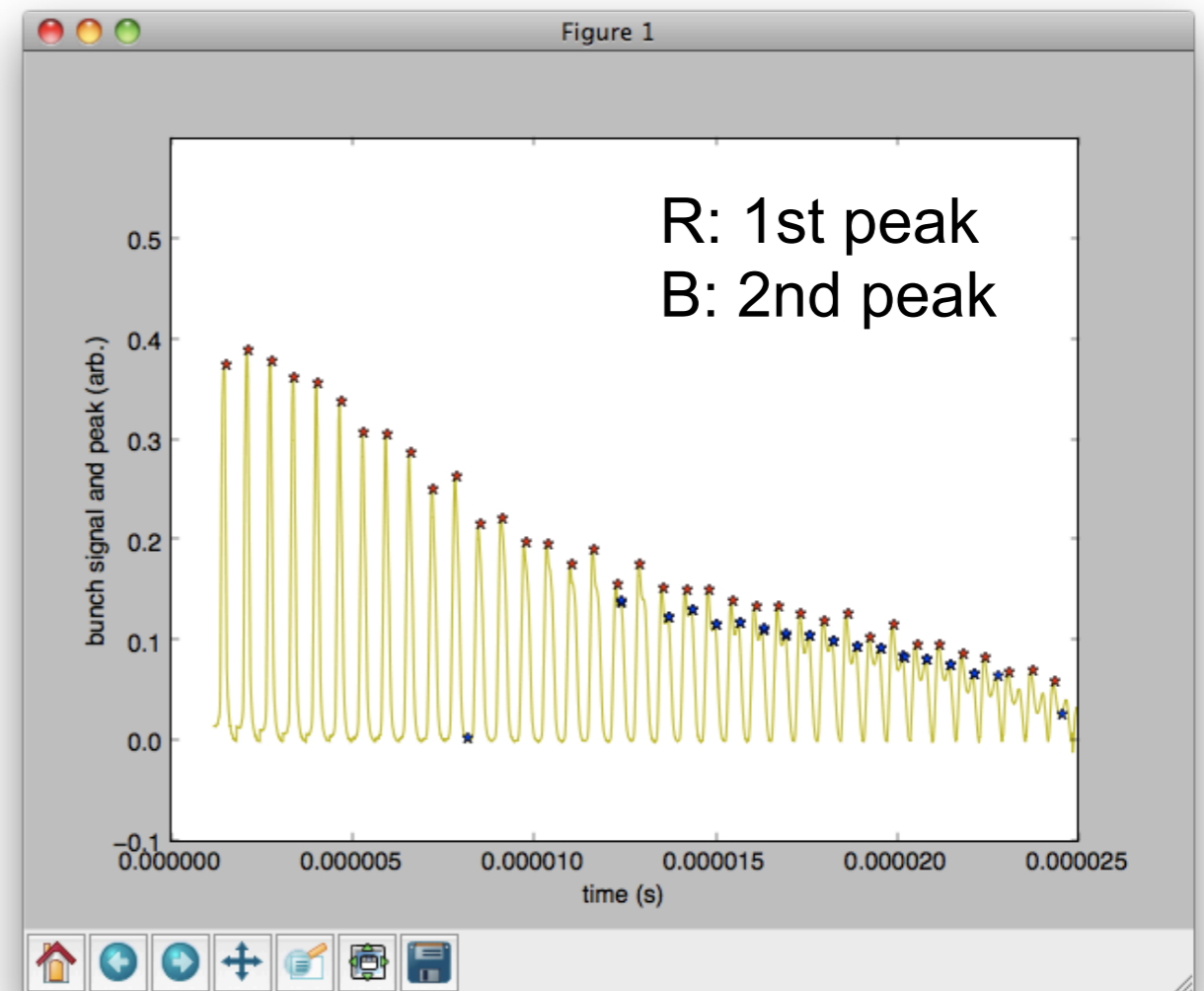
- How much energy loss is needed to have the second peak?
- Can we identify the source of energy loss?

# Bunch monitor signal

When tune approaches half integer, second peak in bunch monitor is developed.



D-mag: 890 A

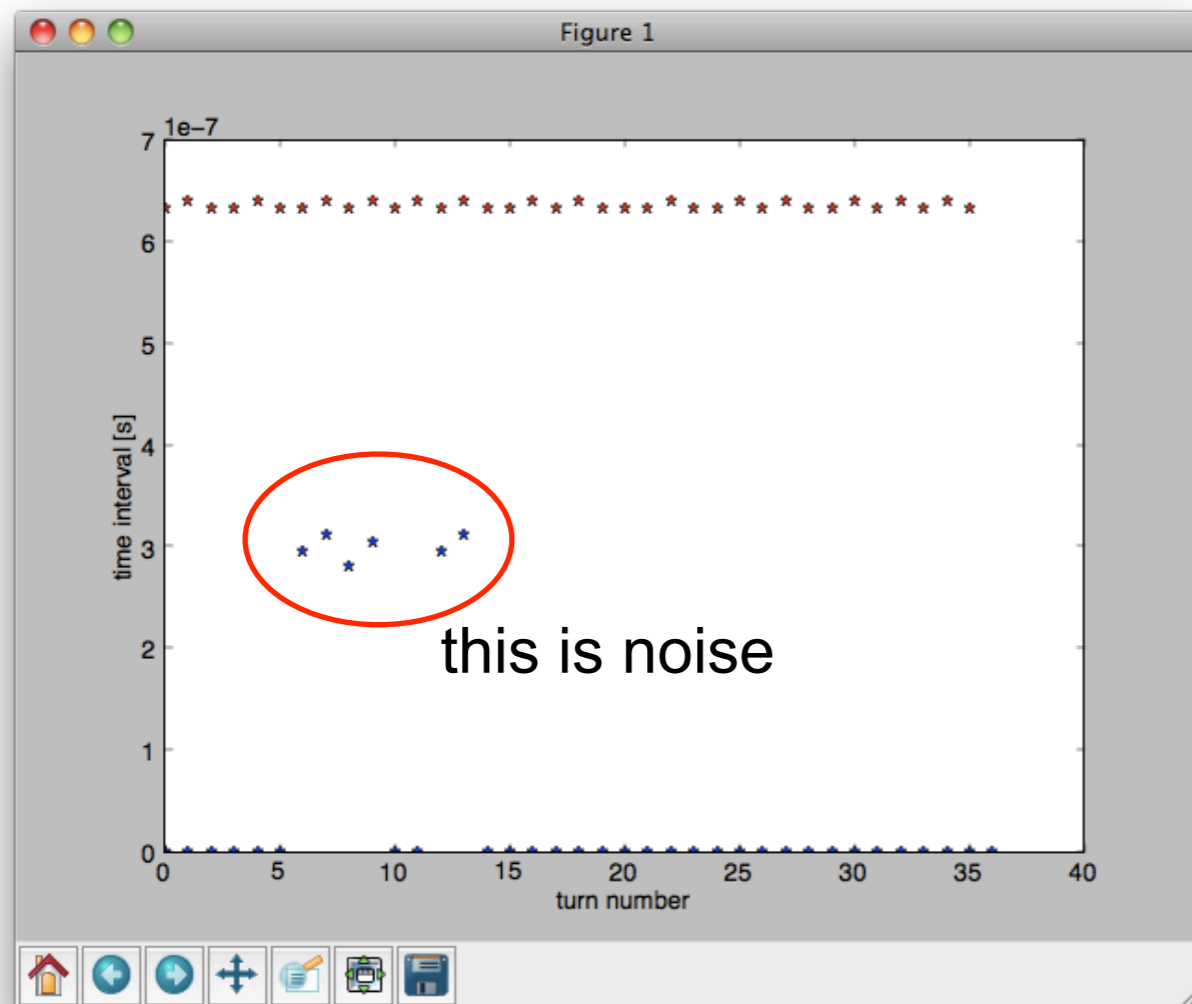


D-mag: 1070 A

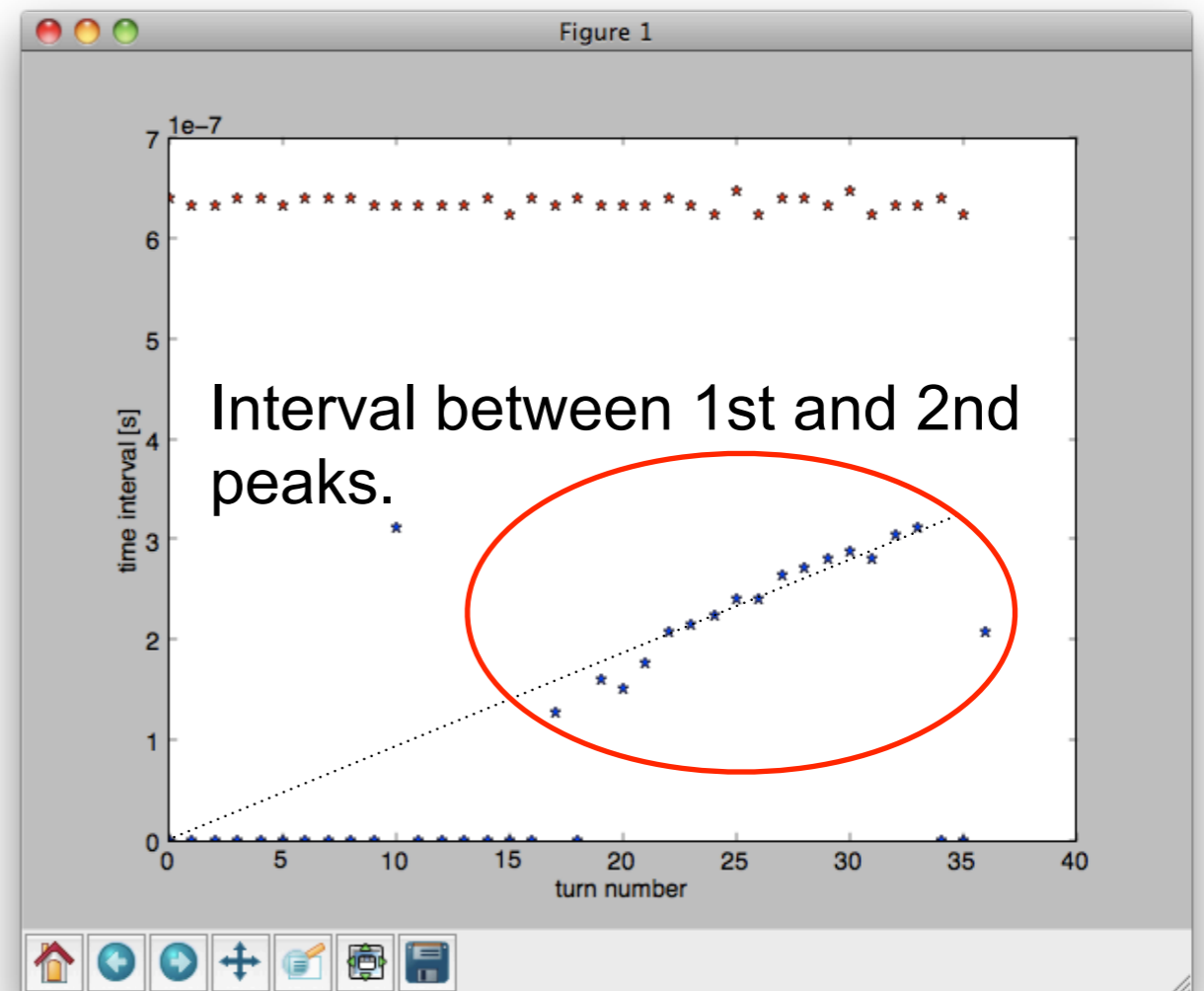
# Timing of peaks

Red: interval between consecutive 1st peaks (revolution time)

Blue: interval between 1st and 2nd peaks



D-mag: 890 A



D-mag: 1070 A

# Two observations

1. Revolution time of 1st peak is more or less constant.
2. Interval between 1st and 2nd peaks linearly increases.

# How the energy loss affects revolution time?

Model 1: Energy loss occurs once at the beginning.

$$\delta t_n / t = \eta \delta p / p$$

$$\Delta t(n) = \sum_n \delta t_n = \sum_n t \eta \delta p / p = n t \eta \delta p / p$$

Model 2: Energy loss occurs every turn continuously.

$$\delta t_n / t = n \eta \delta p / p$$

$$\Delta t(n) = \sum_n \delta t_n = \sum_n n t \eta \delta p / p = (n^2 / 2) t \eta \delta p / p$$

# Almost constant rev. time means

Either Model 1:  $\delta t_{n+1} - \delta t_n = 0$   
or Model 2:  $\delta t_{n+1} - \delta t_n = t\eta\delta p/p$  with small  $t\eta\delta p/p$   
compared with time resolution of 8 [ns] (125 MHz  
sampling).

Continuous energy loss with foil is an example of  
Model 2. However, it does not make observable  
change.

$$t\eta\delta p/p = \frac{t\eta}{2}\delta T/T = 0.019 \text{ [ns]}$$

where  $\delta T = 760 \text{ [eV]}$



# Linear increase btw 1st and 2nd means

Model 1 is the right one

$$\Delta t(n) = \sum_n \delta t_n = \sum_n t \eta \delta p / p = n t \eta \delta p / p$$

From the data

$$\delta p / p = \frac{\Delta t(n)}{n t \eta} = 0.018$$

$$\delta T = 0.4 \text{ [MeV]}$$

# Why 2nd peak is developed?

- Two components exit from linac.
- Part of a beam went through material of  $\sim 500$  ( $=400/0.76$ ) times thicker than foil once.
  - Thickness of carbon foil is  $20 \times 10^{-6} \text{ [g/cm}^2\text{]}/2 \text{ [g/cm}^3\text{]} = 0.1 \text{ }\mu\text{m}$ .
  - Thickness of material should be 0.05 mm (foil frame?).

# Momentum spread of 1st peak

- When tune is not close to a half integer, 2nd peak does not appear.
- What is the momentum spread of 1st peak?
  - Two example of David's previous calculation are both close to a half integer tune.

# Backup slides

# Two observations

1. Revolution time of 1st peak is more or less constant.

*What does that mean?*

Model 1: Energy loss occurs once at the beginning and this is seen after 10 turns as a delay of revolution time.

$$dp/p = (1/\eta)dt/t$$

$$\eta = 1/(1+k) - 1/\gamma^2 = 0.86$$

$$dt = 8 \times 10^{-9} \quad [\text{s}] : \text{time resolution}$$

$$t = 10 \times 640 \times 10^{-9} \quad [\text{s}] : 10 \text{ turns rev. time}$$

Energy loss at the beginning has to be more than

$$dp/p = 1.45 \times 10^{-3} \quad \text{or} \quad dT = 32 \text{ [keV]}$$

to be seen.

Model 2: Energy loss occurs every turn by the same amount.

When the shift of momentum is proportional to turn number, time delay per turn at n-th turn is

$$\delta t_n/t = \eta n \delta p/p$$

The total delay after n-th turn is

$$\sum \delta t_n/t = \sum \eta n \delta p/p = \eta (n^2/2) \delta p/p$$
$$\sum_{n=1}^{10t} \delta t_n = 8 \times 10^{-9} \text{ [s] : time resolution}$$
$$n = 10$$

Energy loss per turn has to be more than

$$\delta p/p = 2.9 \times 10^{-4} \quad \text{or} \quad \delta T = 6.4 \text{ [keV]}$$

One order larger than the energy loss by foil.

Model 2: Energy loss occurs continuously by the same amount.

When the shift of momentum is proportional to turn number, time delay per turn at n-th turn is

$$\delta t_n / t = \eta n \delta p / p$$

The total delay after n-th turn is

$$\sum \delta t_n / t = \sum \eta n \delta p / p = \eta (n^2 / 2) \delta p / p$$

Energy loss by foil for example,

$$\delta T = 760 \text{ [eV]} \text{ or } \delta p / p = (1/2) \delta T / T = 3.45 \times 10^{-5}$$

After 30 turns,

$$\sum_{30t} \delta t_n = t \eta (n^2 / 2) \delta p / p = 8.5 \times 10^{-9} \text{ [s]}$$

Hard to see with the present time resolution.

# Two observations

Revolution time of 1st peak is more or less constant.

Main part of the bunch has constant momentum within the accuracy of measurement\*.

\*accuracy of measurement: no trend of consistent delay of revolution time within a few 10 turns.

$$dp/p = (1/\eta)dt/t$$

$$\eta = 1/(1 + k) - 1/\gamma^2 = 0.86$$

$$dt = 8 \times 10^{-9} \quad : \text{time resolution}$$

$$t = 10 \times 640 \times 10^{-9} \quad : \text{10 turns rev. time}$$

$$dp/p = 1.45 \times 10^{-3} \quad \text{or}$$

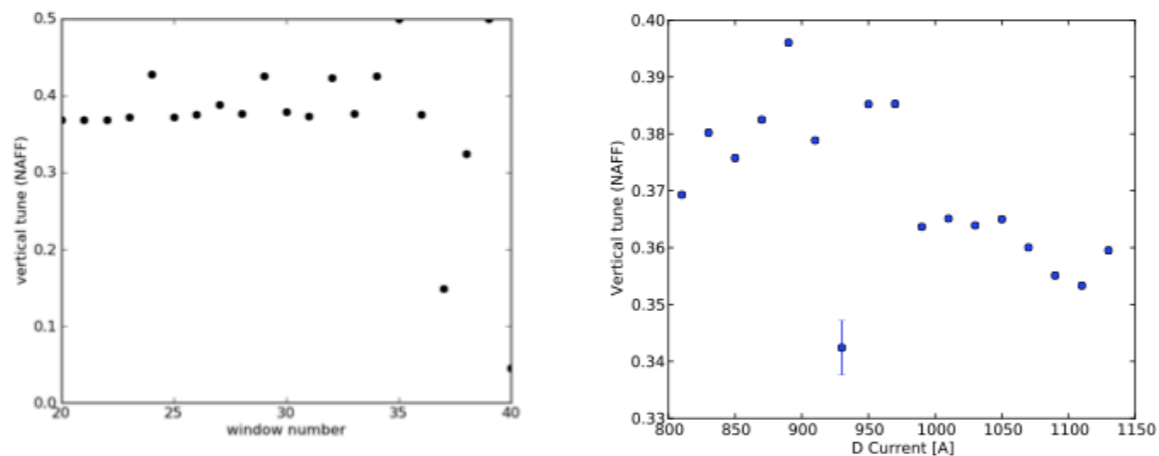
$$dT = 32 \text{ [keV]}$$



# Preliminary analysis by Suzie

## NAFF Tune calculation results

- Calculated tune for windows across turn values (40 turns per window)
- Large variation especially later windows
- Using first 4 points for each value of D current (as example):



20/11/2013

Vertical tune does not change much with D-mag current. Is it true?

# Conditions

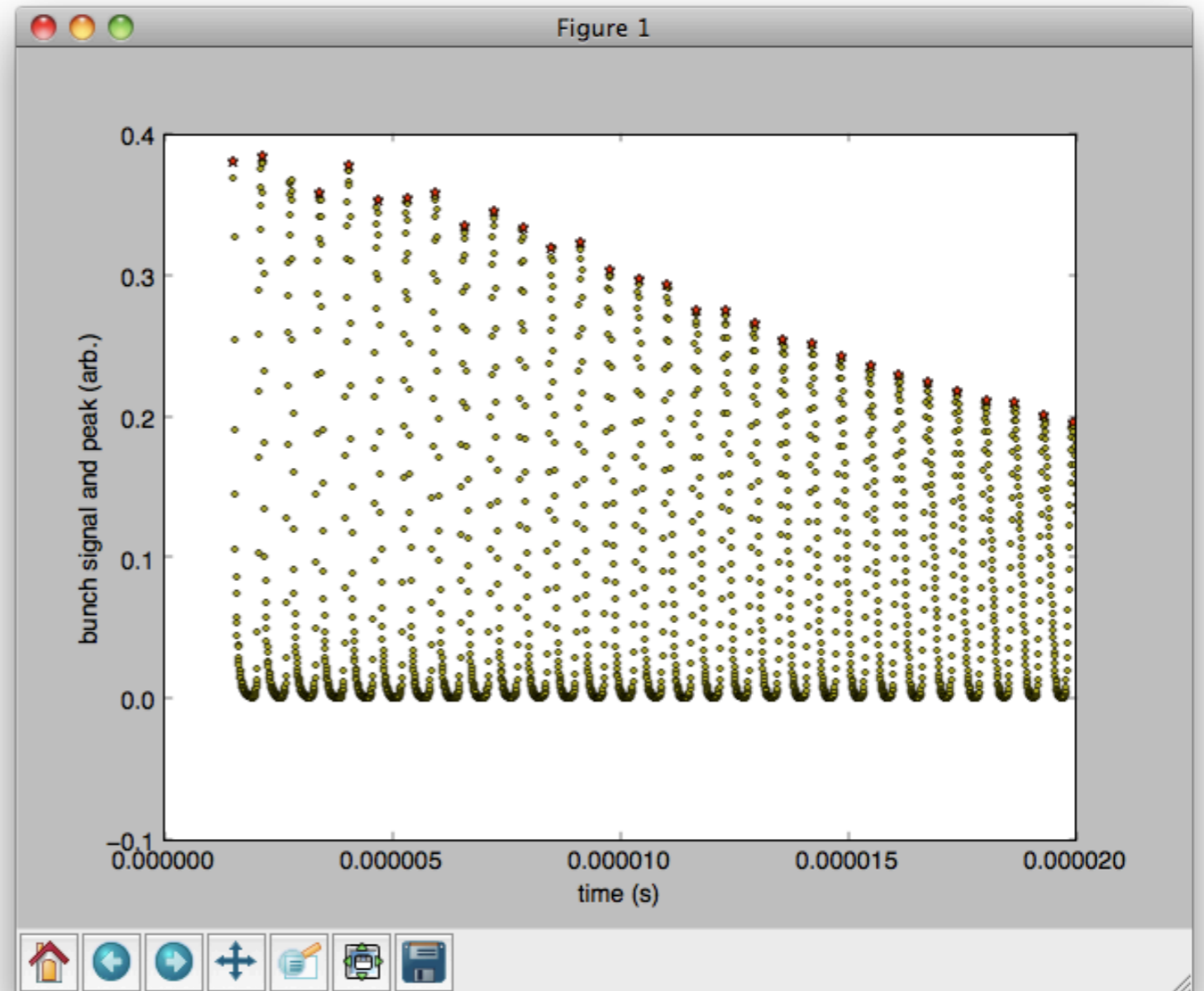
- Data on 13 November 2013.
- No rf cavity.
- Small vertical offset at injection.
- F-mag current is fixed at 813.15 A. D-mag is varied from 810 to 1130 A.
- Use double (hebi, 巳) and single (inu, 戌) bunch monitors.



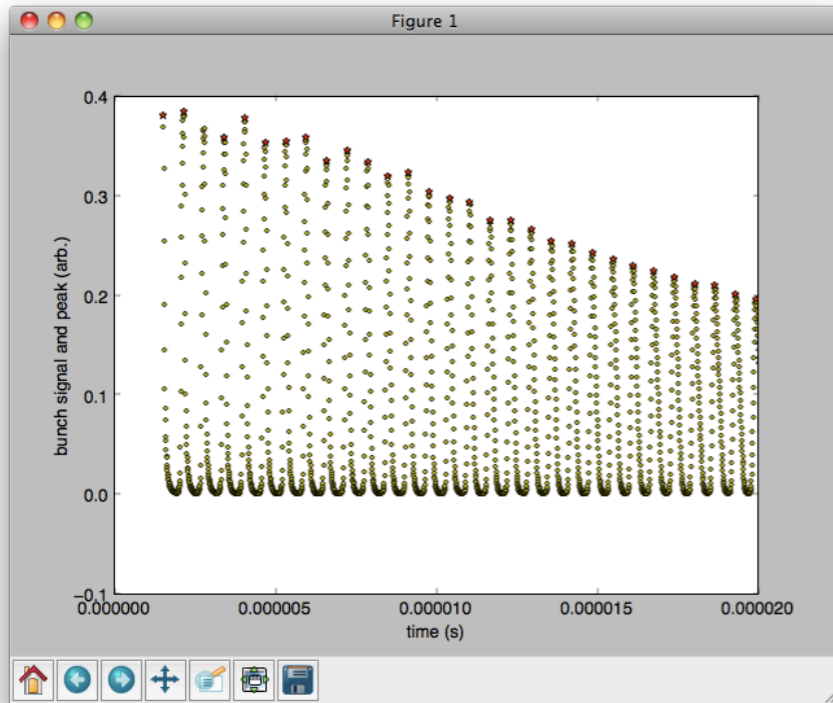
- More details can be found in a spread sheet by Suzie.

# Bunch monitor single

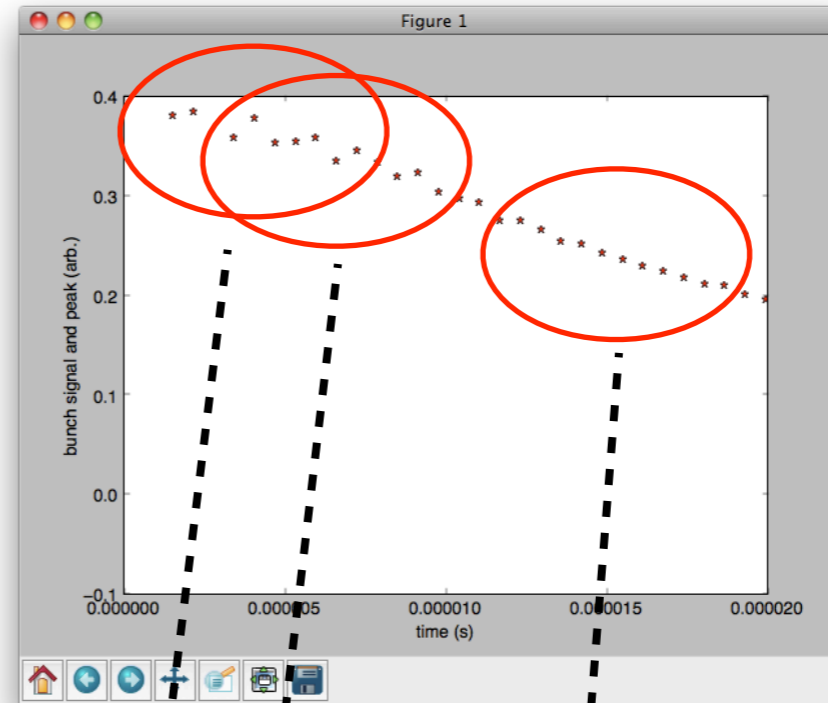
- (Baseline is forced to be zero.)
- Peak height decays due to bunch broadening.
- Some oscillations of the peak height for the first 10~20 turns. Assume this is due to vertical betatron oscillations.



# Data analysis

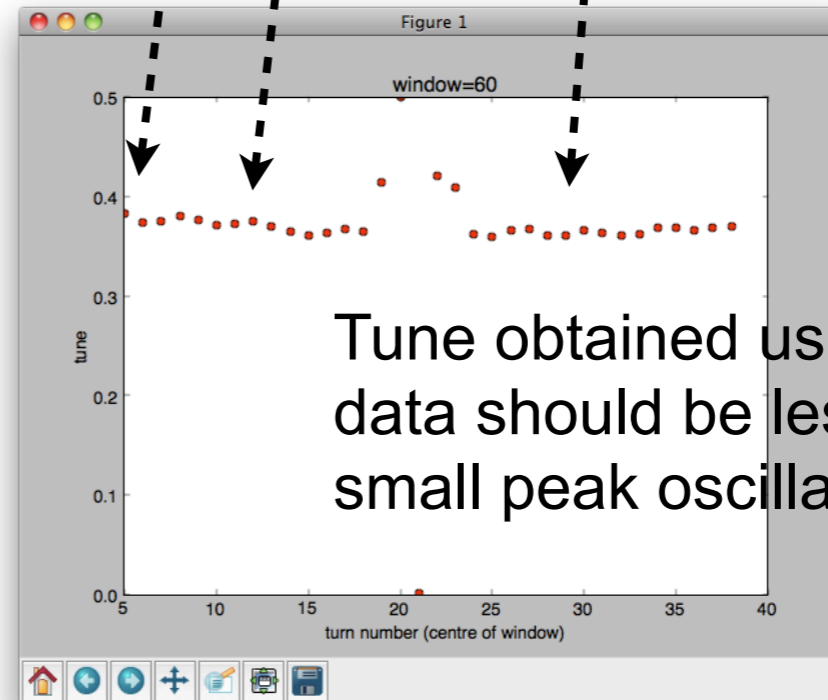
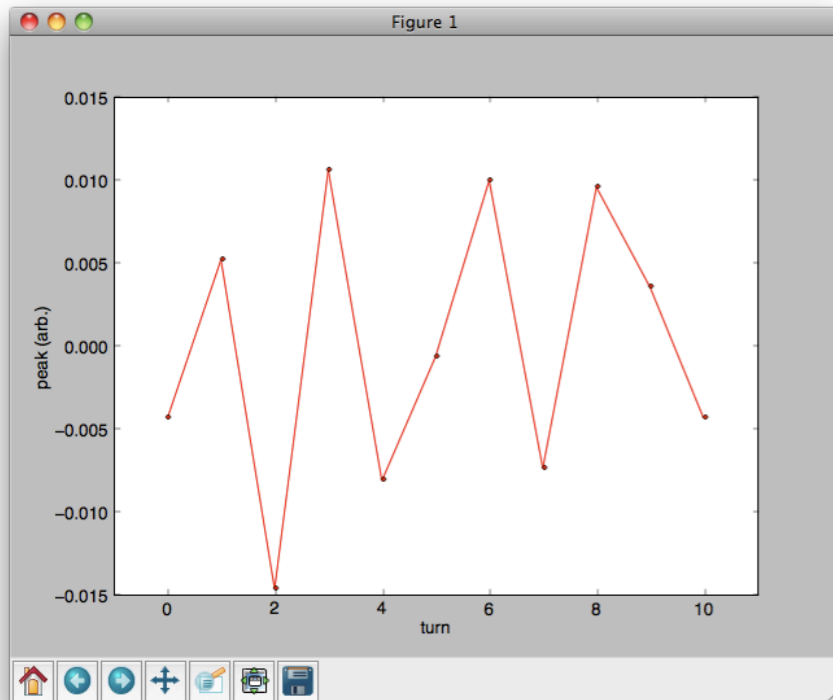


detect peaks



pickup only 11 turns

apply NAFF



# NAFF algorithm

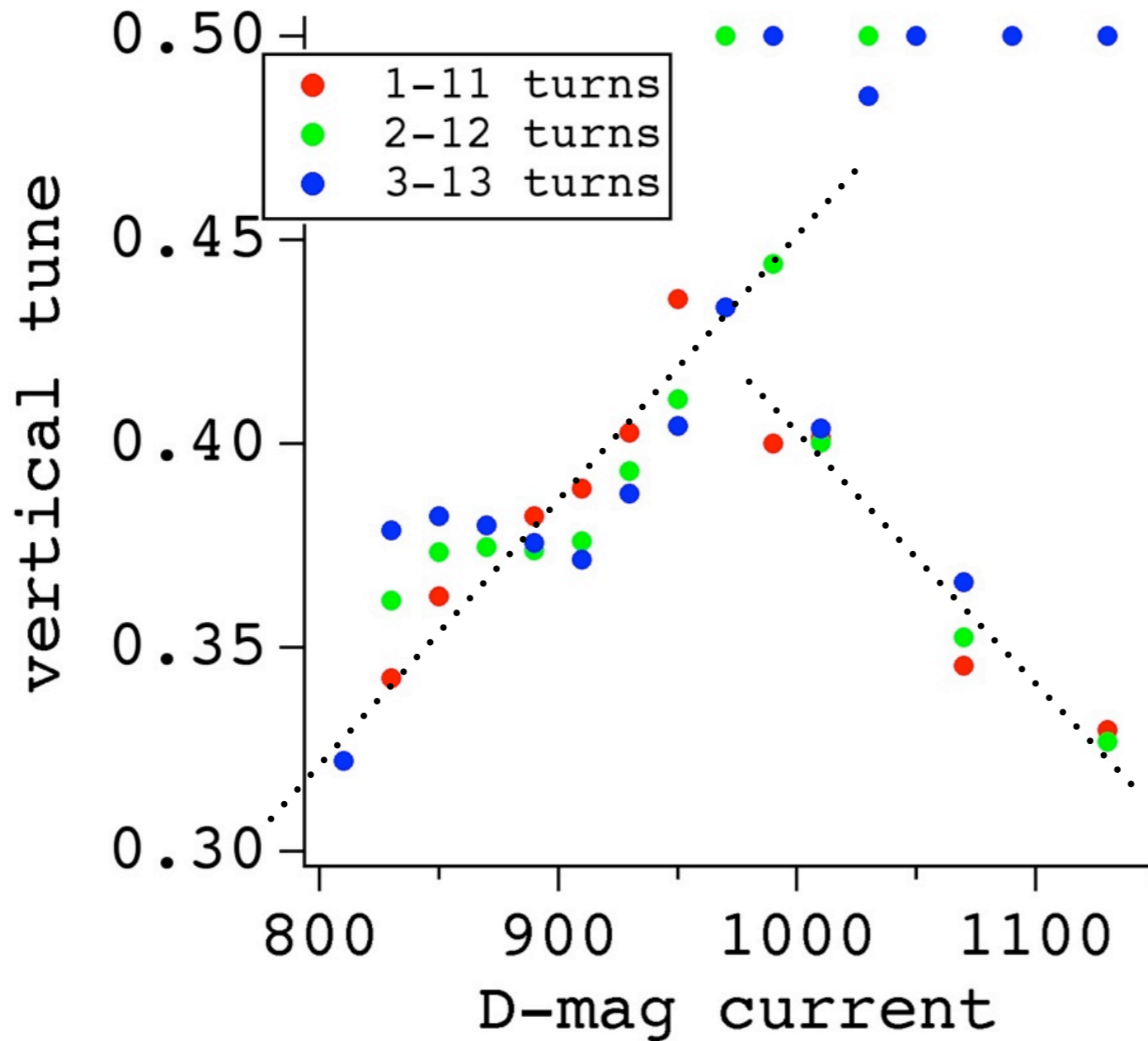
- Numerical Analysis of Fundamental Frequency.
- Find numerically the frequency  $\nu$  which maximise  $\phi(\nu)$

$$\phi(\nu) = \frac{1}{N} \sum_{n=0}^N z(n) \exp(-2\pi i \nu n)$$

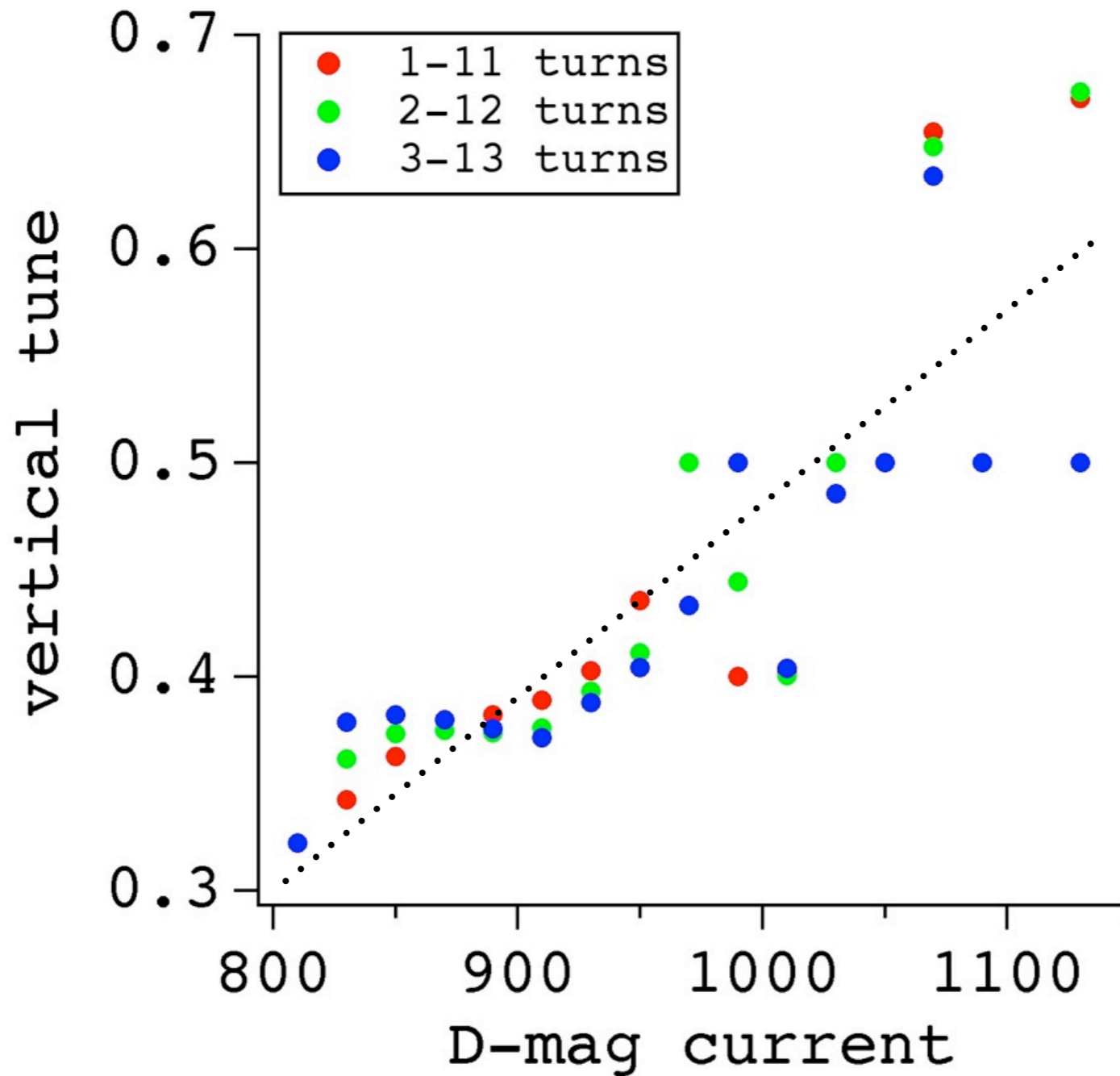
$z(n)$  : data set to be analysed.

1. R. Bartolini, Particle Accelerators **52** 147 (1996).
2. J. Laskar, Physica D **67** 257 (1993).

# Results of single bunch monitor



# Results of single bunch monitor (some flipped)

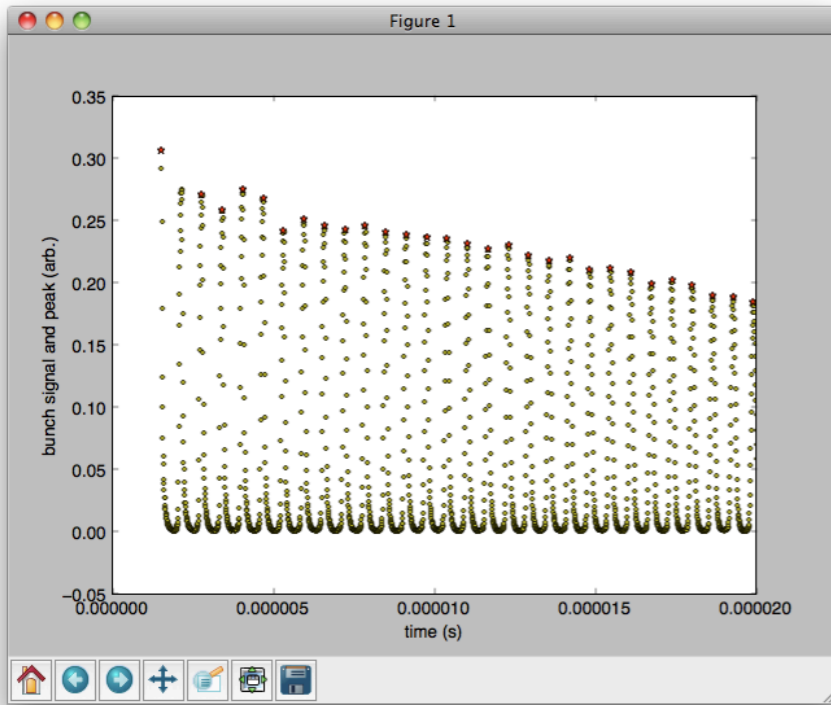


Should be checked by simulation if it is reasonable.

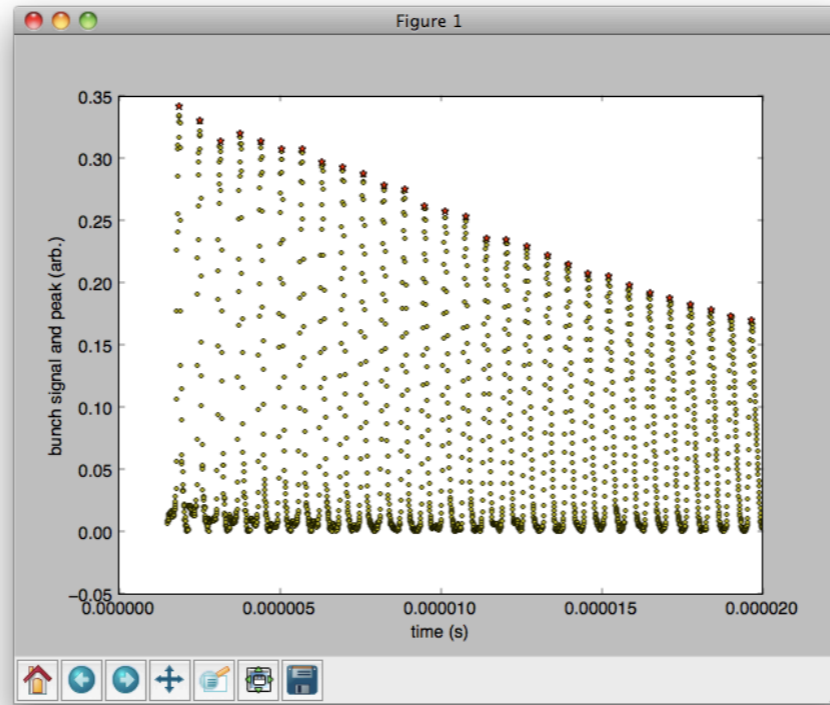


# Bunch shape

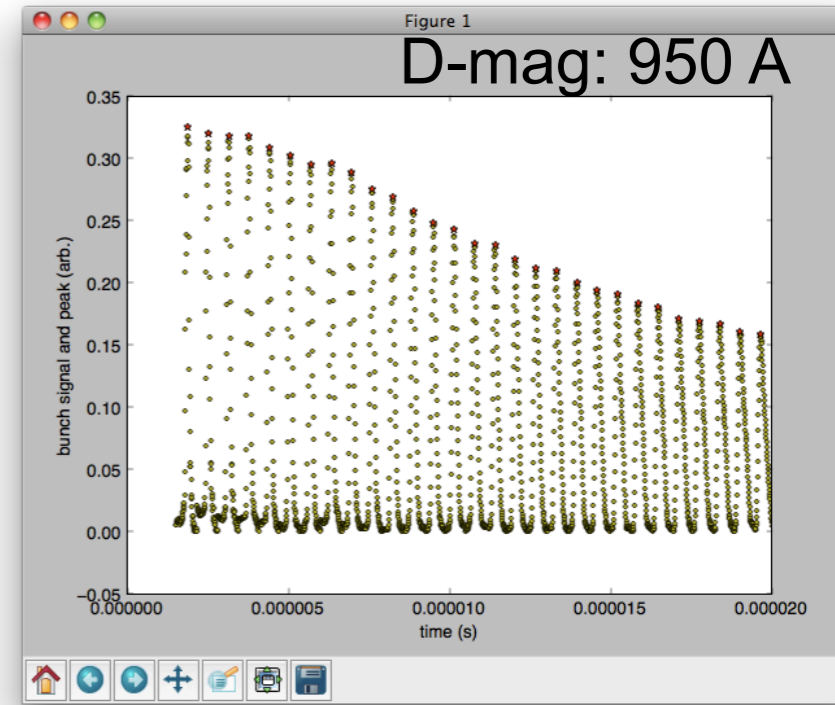
D-mag: 830 A



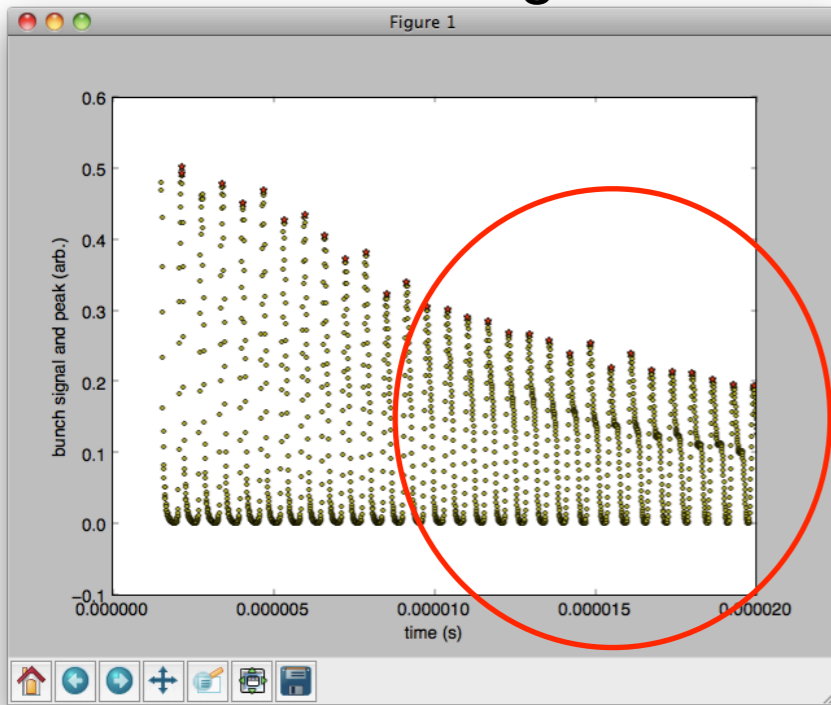
D-mag: 890 A



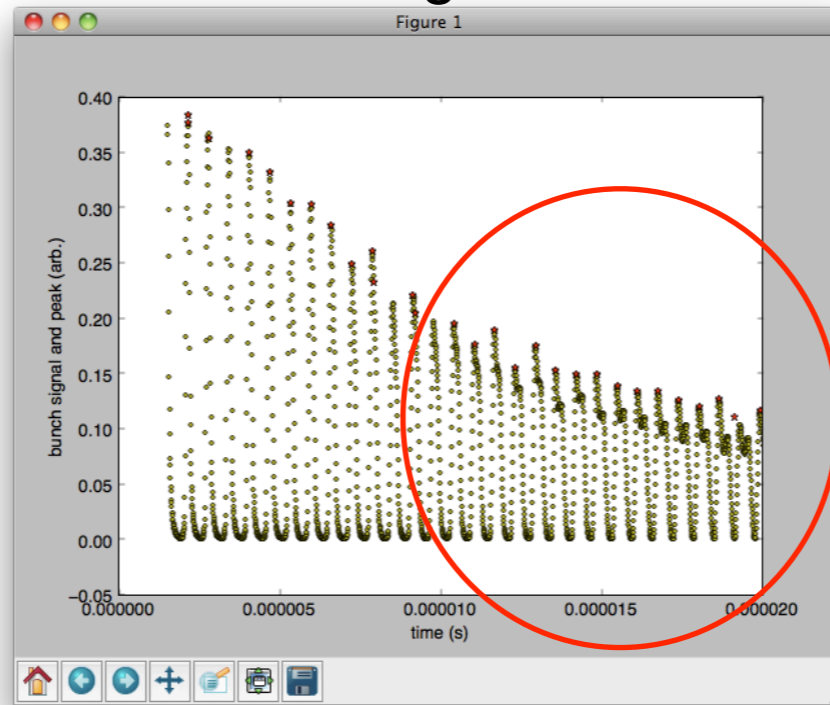
D-mag: 950 A



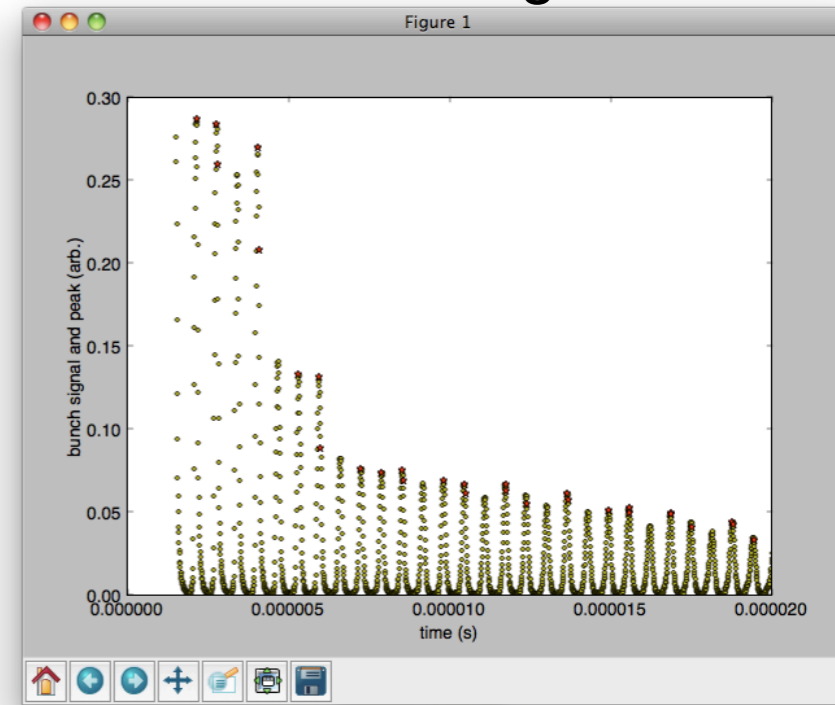
D-mag: 1010 A



D-mag: 1070 A



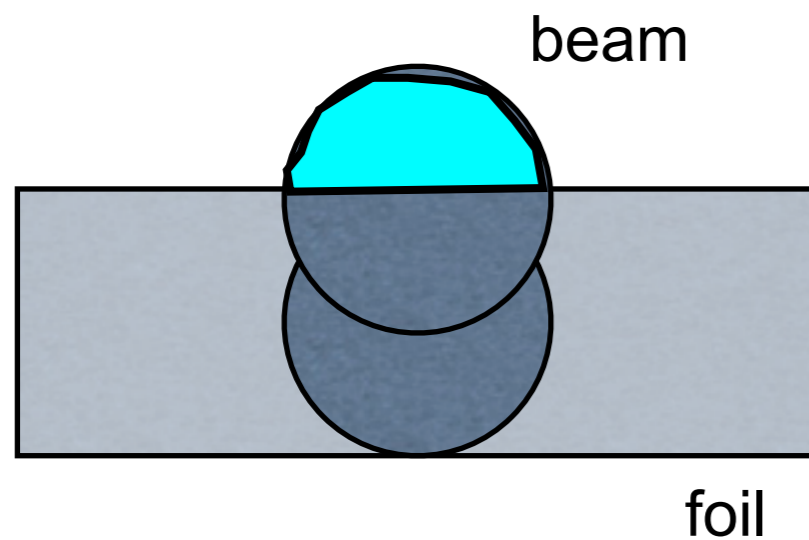
D-mag: 1130 A



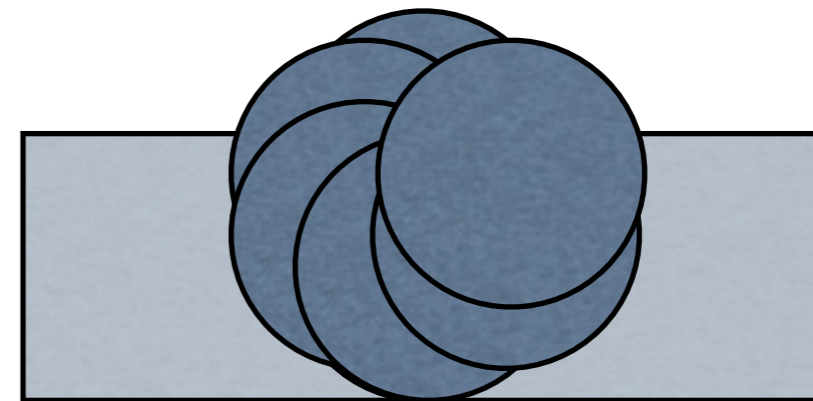


# Possible explanation

at half integer



at other tune



At half integer tune, some part of a beam can avoid foil hitting every other turn which makes two separate momentum evolution of a beam.